

## **Co-ordinate Geometry**

1] The distance between the points  $p(x_1, y_1)$  and  $q(x_2, y_2)$  given by :

A]  $\sqrt{(x_1 + x_2)^2 + (y_1 + y_2)^2}$ C]  $\sqrt{(x_1 - x_2)^2 - (y_1 + y_2)^2}$ B]  $\sqrt{(x_1 + x_2)^2 - (y_1 + y_2)^2}$ D]  $\sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2}$ 

2] The coordinates of origin are:

A] (1,1) B] (2,2) C] (0,0) D] (3,3)

3] The distance between the co-ordinates of points ( p, q ) from the origin:

A]  $p^2 - q^2$  B]  $\sqrt{p^2 - q^2}$  C]  $\sqrt{p^2 + q^2}$  D]  $q^2 - p^2$ 

4] The distance between origin and a point (0, 4) is:

A] 2 B] 4 C] 8 D] 16

5] The distance between the points (2, 3) and (6, 6) is: A] 5 units B] 7 units C] 3 units D] 4 units

6] The distance between the origin and the point (12, -5) is: A] -5 units B] 12 units C] 7 units D] 13 units

7] The distance of the point (-4, -7) from the y-axis is: A] 4 units B] 7 units C] 11 units D]  $\sqrt{65}$  units

8] If the points (k, 2k), (3k, 3k) and (3, 1) are collinear, then k. A]  $-\frac{1}{3}$  B]  $\frac{1}{3}$  C]  $-\frac{2}{3}$  D]  $\frac{2}{3}$ 

9] If x is a positive integer such that the distance between points P (x, 2) and Q (3, -6) is 10 units, then x =

A]-3 B] 3 C] 9 D] 0

10] If A (2, 2), B (-4, 4) and C (5, -8) are the vertices of a triangle, then the length of the median through vertex

A]  $3\sqrt{5}$  B]  $3\sqrt{17}$  C]  $\sqrt{157}$  D]  $\sqrt{213}$ 

11] If points (a, 0), (0, b) and (1, 1) are collinear, then  $\frac{1}{a} + \frac{1}{b} =$ A] -1 B] 1 C] 0 D] 2

12] The area of the triangle formed by (a, b + c), (b, c + a) and (c, a + b) so A] 0 B] abc C]  $(a + b + c)^2$  D] none of these



13] A circle drawn with origin as the centre passes through  $\left(\frac{13}{2}, 0\right)$ . The point which does not lie in the interior 0

A] 
$$\left(\frac{-3}{4}, 1\right)$$
 B]  $\left(2, \frac{7}{3}\right)$  C]  $\left(5, \frac{1}{2}\right)$  D] (-6, 3)

14] A line intersects the y-axis and x-axis at the points P and Q, respectively. If (2, -5) is the midpoint of PQ. The co ordinates P and Q are, respectively.

A] (0, -5) a	A] (0, -5) and (2, 0)		B] (0, 10) and (-4, 0)			
C] (0, 4) a	C] (0, 4) and (-10, 0)		D] (0, -10) and (4, 0)			
15] If the distance b	etween the po	ints (4, p)	and (1, 0) is	5, then the value o	of p is	
A] 4 only	B] ±4	C] – 4 d	only D] 0			
16] If the points A (1	L, 2), O (0, 0) ar	nd C (a, b)	are collinea	ir, then		
A] a = b	B] a	= 2b	C] 2a = b	D] a = - b		
17] The distance of	the point P (2.	3) from th	e x-axis is			
A] 2	B] 3	C] 1	D] 5			
18] The distance be	tween the poir	nts A (0, 6)	and B (0, -2	2) is		
A] 6	B] 8	C] 4	D] 2			
19] The distance of	the point P (-6, $-$	, 8) from t	he origin is			
A] 8	B] 2√7	C] 10	D] 6			
201 The distance her	tween the noir	) ) ) ) ) ) ) )	nd (-5 0) is			
		its (0, 5) a		5140		
A] 5	B] 5√ <i>2</i>		CJ 2V 5	DJ 10		
21] The points (- 4, (	0), (4, 0), (0, 3)	are the ve	ertices of a			
A] right triangle B] is		osceles triangle C] equilateral triangle			D] Scalene triangle	
22] The point which	divides the lin	e segmen <sup>.</sup>	t joining the	points (7, -6) and (	3,4) in ratio 1:2	
internally lies in						
A] I quadrant	B] II quadrant		C] III quadrant		D] IV quadrant	
22171	1. JI			<b>C</b> (1) (1) (1) (1) (1) (1) (1) (1) (1) (1)		
$\Delta (-2 -5)$ and R	(2 5) is	pendicula	r disector o	t the line segment j	oining the points	
$\pi(2, 3)$ and $D$						



24] The fourth vertex D of a parallelogram ABCD whose three vertices are A (-2, 3), B (6, 7) and C (8,3) is

25] If the point P (2, 1) lies on the line segment joining points A(4, 2) and B(8, 4), then

A] AP = 
$$\frac{1}{3}$$
AB B] AP = PB C] PB =  $\frac{1}{3}$ AB D] AP =  $\frac{1}{2}$ AB

26] If P  $\left(\frac{a}{3}, 4\right)$  is the mid-point of the line segment joining the points Q(-6, 5) and R(-2, 3), then the value of a is

A] - 4 B] - 12 C] 12 D] - 627] The perpendicular bisector of the line segment joining the point A (1,5) and B(4, 6) cuts the y-axis at

A] (0, 13) B] (0, -13) C] (0, 12) D] (13, 0)

28] The co ordinates of the point which is equidistant from the three vertices of the  $\Delta$ AOB as shown in the Fig Q 21 is

A] (x, y) B] (y, x) C]  $\left(\frac{x}{2}, \frac{y}{2}\right)$  D]  $\left(\frac{y}{2}, \frac{x}{2}\right)$ 

29] AOBC is rectangle whose three vertices are A (0. 3), (0, 0) and B(5, 0). The length of its diagonal is A] 5 B] 3 C]  $\sqrt{34}$  D] 4

30] The perimeter of a triangle with vertices (0,4), (0, 0) and (3, 0) is A] 5 B] 12 C] 11 D] 7 +  $\sqrt{5}$ 

 31] The area of a triangle with vertices A (3, 0) , B(7, 0) and C(8,4) is

 A] 14
 B] 28
 C] 8
 D] 6

32] The distance of the point (4, 7) from the y-axis is A] 4 B] 7 C] 11 D]  $\sqrt{65}$ 

33] If points A(5, P), B(1, 5), C(2, 1) and D(6, 2) form a square ABCD, then P = A] 7 B] 3 C] 6 D] 8

 34] The ratio in which (4, 5) divides the join of (2, 3) and (7, 8) is

 A] 7:2
 B] - 8:3
 C] 3:2
 D] 2:3

35] If the point p(x, y) is equidistant from A(5, 1) and B(- 1, 5), then A] 5x = y B] x = 5y C] 3x = -2y D] 3x = 2y



36] If the distance b/w the points. (a cos  $\theta$  + b sin  $\theta$ , 0) and (0, a sin  $\theta$  - b cos  $\theta$ ) is A]  $a^2 + b^2$  B] a + b C]  $a^2 - b^2$  D]  $\sqrt{a^2 + b^2}$ 

37] The perimeter of the triangle formed by the points.(0,0), (1, 0) and (0, 1) is

A]  $1 \pm \sqrt{2}$  B]  $\sqrt{2} + 1$  C] 3 D]  $2 + \sqrt{2}$ 

38] The point on the x-axis which is equidistant from points.(-1, 0) and (5, 0) isA] (0, 2)B] (2, 0)C] (3, 0)D] (0, 3)

39] The coordinates of a point on x-axis which lies on the perpendicular bisector of the line segment joining the points (7, 6) and (-3, 4) are

A] (0, 2) B] (3, 0) C] (0, 3) D] (2, 0) 40] The coordinates of the centroid of a triangle whose vertices are (0, 6), (8, 12) and (8, 0) is a) (4, 6) b)(16,6) c)(8,6) d)(16/3,6)