









MALAPPURAM EDUCATIONAL DISTRICT

EM_6.01

MATHEMATICS

Class - X

Chapter-6

COORDINATES

Points to remember:-

- The positions of points in a plane can be represented using a pair of numbers called **coordinates of the point.** The lines drawn to mark the positions of points on a plane are called the **axes of coordinates.**
- The horizontal line is the **x** axis and the vertical line is the **y** axis. The intersecting point of these axes is called **Origin**.
- Positive and negative numbers are used to distinguish right-left and up-down directions.
- In the pair of numbers to represent a point , the first number is called **X-coordinate** and Second is called **Y-coordinate**.
- The coordinates of the **origin** is **(0,0)**

ACTIVITY - 01



In the figure the coordinates of some points are marked. Write the coordinates of the points A, B, C, D and E.

ACTIVITY - 02

Draw X and Y axes and mark the points **A(2,0)**, **B(0,4)**, **C(3,2)**, **D(5,0)**, **E(5,2)**, **F(3,1)**, **G(0,3)** using the same axes.

- a) Which of the above points are on *X*-axis ?
- b) Which of the above points are on Y-axis?
- c) Which are the points on a line parallel to X-axis?
- d) Which are the points on a line parallel to Y-axis?
- e) Any point on a line parallel to X-axis has its ----- coordinate equal.
- f) Any point on a line parallel to Y-axis has its ----- coordinate equal?

ACTIVITY - 03

Four points A(-3, -2), B(2, -2), C(1, 3) and D(-2, 3) are marked on the plane and points are joined in order. The figure obtained is isosceles trapezium as AB \parallel CD and AD=BC.

Similarly mark the points in each set and join the points in order. Give the most suitable name for the figure obtained.

- (a) P(0, 0), Q(4, 0), R(4, 4) and S(0, 4)
- (b) D(-4, 1), E(3, 1), F(4, 3) and G(-3, 3)
- (c) X(-2, -3), Y(3, -3), Z(3, 4)



In the figure, the centre of the circle is the origin and radius is 4 units. Fill in the blanks suitably and find the coordinates of **P** and **Q**.

Draw **PM** and **QN** perpendicular to **X-axis**.

- a) The angles of ΔOMP are 30° , __, __
- b) Its sides are in the ratio 1 : __ : __
- c) Since, OP=4 units, PM=__, OM=__
- d) \therefore coordinates of P(__, __)
- e) $\angle QON=180-(30+90) =$ _____
- f) In Δ QON, ON = _____ units. QN = _____
- g) Coordinates of Q= (__, __)





<u>ACTIVITY - 05</u>

(2,3), (-3,5) are coordinates of two opposite vertices of a rectangle with sides parallel to the axes. Answer the following questions and find the coordinates of other vertices.

- (a) Write the position of point (2, 3) with respect to the point (-3, -5) [left bottom, left top, right bottom, right top]
- (b) Which vertex of rectangle ABCD is (2,3)?
- (c) Which vertex is (-3,5)?
- (d) Which coordinates of **A** and **D** are equal?
- (e) Which coordinates of **C** and **D** are equal?
- (f) Write the coordinates of other two vertices.

WORKSHEET 6.01

- 1. a) Write the coordinates of 3 points on *x*-axis
 - b) Write the coordinates of 3 points on *y*-axis
 - c) (-3,9) is point on a line parallel to *x*-axis. Write the coordinates of any other 3 points on it.
 - d) (2,-4) is point on a line parallel to *y*-axis. Write the coordinates of any other 3 points on it.
- 2. In the figure OABC is a trapezium. OC=4 $\sqrt{2}$, \angle COA=45⁰, A(6, 0)
 - a) What is the perpendicular distance form C to OA?
 - b) Write the coordinates of B and C
- 3. In the figure O is the origin and $\triangle OAB$ is right isosceles triangle. OA= 8 units.
 - a) Find the coordinates of each vertices of $\triangle OAB$
 - b) What is the area of $\triangle OAB$?
- 4. In the figure ABCD is a rectangle with its sides parallel to the axes. Find the coordinates of the pints B and D.





A (2, 4)

5. (4,3), (-2,1) are the coordinates of two opposite vertices of a rectangle with sides parallel to the axes. Draw a rough figure and mark the given points in the correct position and also find the coordinates of the other vertices.



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MALAPPURAM EDUCATIONAL DISTRICT

EM_6.02

MATHEMATICS COORDINATES

Class - X

Chapter-6

<u>Previous Knowledge</u>:- Any point on a line parallel to x-axis has its y-coordinate equal. Any point on a line parallel to y-axis has its x-coordinate equal.

<u>Distance</u>: Distance between any two points on x-axis / y-axis / a line parallel to x-axis / a line parallel to y-axis.



<u>ACTIVITY – 01</u>

- a) What is the distance between A and B?
- b) Find the distance from C to D

If (x_1, y) and (x_2, y) are two points on *x*-axis or a line parallel to *x*-axis the distance between these points is $|x_1 - x_2|$

- a) What is the distance from P to Q ?
- b) Find the distance between R and S?

If (x, y_1) and (x, y_2) are two points on *y*-axis or a line parallel to *y*-axis the distance between these points is $|y_1 - y_2|$



<u>ACTIVITY - 04</u>

If **P** is a point inside a rectangle OABC, **PO²+PB²=PA²+PC²**. The following method is used to prove the result. Fill in the blanks suitably.

- a) \therefore A(a, 0), B(a, b) and C(_ , _)
- b) Let P(x, y); Now $PA^2 = (x-a)2 +$ _____
- C) $PB^2 = _ + (y b)^2$
- d) $PO^2 = x^2 + _$
- e) $PC^2 = _ + (y b)^2$
- f) $PO^2 + PB^2 = x^2 + y^2 + (x-a)^2 + (y-b)^2$
- g) $PA^2+PC^2 = (x-a)^2 + y^2+x^2+(y-b)^2$
- h) $\therefore \mathbf{PO}^2 + \mathbf{PB}^2 = \mathbf{PA}^2 + \mathbf{PC}^2$

The sides of the rectangle is taken as **a** , **b** and one vertex of the rectangle is considered **Origin.**



WORKSHEET 6.02

- 1. A circle with centre Origin passes through the point **(12, 5)**. Write the coordinates of other four points on this circle.
- 2. A line drawn from the origin 'O' passes through two points **A(3,4)** and **B(6,8)** on a circle. **OP** is a tangent drawn from the origin to the circle
 - a) Draw a rough figure
 - b) Find the length of the tangent **OP**
- 3. A(2,4), B(2,6), C(5,4), D(5,9), E(8,4), F(8,12)
 - a) Find **AB**, **CD** and **EF**

4.

- b) Prove that the above three lengths are in arithmetic sequence.
- 'A' is a point on Y-axis equidistant from (3,5) and (-2,6). Find the coordinates of 'A'
- 5. Prove that the points **(2,1)**, **(3,4)** and **(-3,6)** are the vertices of a right triangle.

