

CBSE Class 12 Physics Revision Notes Chapter-3 Current Electricity

- **Electrical Conductivity:** It is the inverse of specific resistance for a conductor whereas the specific resistance is the resistance of unit cube of the material of the conductor.
 - $\sigma=rac{1}{
 ho}=rac{ne^2 au}{m}$ Where σ is the conductivity and ho is resistivity.
- **SI Unit of Conductivity:** The SI unit of conductivity is mhom⁻¹.
- Current through a given area of a conductor: It is the net charge passing per unit time through the area.
- Current Density Vector: The current density vector $\overset{\longrightarrow}{J}$ gives current per unit area flowing through area ΔA when it is held normal to the direction of charge flow. Note that the direction of $\overset{\longrightarrow}{J}$ is in the direction of current flow.
- **Current Density:** Current density j gives the amount of charge flowing per second per unit area normal to the flow.
 - $J=nqV_d$ where n is the number density (number per unit volume) of charge carriers each of charge q and V_d is the drift velocity of the charge carriers. For electrons q = -e. If j is normal to a cross sectional area A and is constant over the area, the magnitude of the current I through the area is neV_dA
- **Mobility:** Mobility μ is defined to be the magnitude of drift velocity per unit electric field.
 - $\mu=\left(rac{V_d}{E}
 ight)$ Now, $V_d=rac{q au E}{m_q}$ where q is the electric charge of the current carrier and m_q is its mass.

$$\therefore \mu = \left(rac{q_ au}{m_q}
ight)$$

Thus, mobility is a measure of the response of a charge carrier to a given external electric field.

ullet Resistivity: Resistivity ho is defined to be reciprocal of conductivity.

$$\rho = \frac{1}{\sigma}$$

It is measured in ohm-metre($\Omega-m$)



• Resistivity as a function of temperature: It is given as,

$$\rho_T = \rho_0 [1 + \alpha (T - T_0)]$$

Where, α is the temperature coefficient of resistivity and ρ_T is the resistivity of the material at temperature T.

• Ranges of Resistivity:

- a) Metals have low resistivity: Range of ρ varies from $10^{-8}~\Omega$ m to $10^{-6}~\Omega$ m.
- b) Insulators like glass and rubber have high resistivity: Range of ρ varies from 10^{22} to 10^{24} times greater than that of metals.
- c) Semiconductors like Si and Ge lie roughly in the middle range of resistivity on a logarithmic scale.

• Total resistance in Series and in Parallel:

- (a) Total resistance R of n resistors connected in series is given by R = R_1 + R_2 + ... + R_n
- (b) Total resistance R of n resistors connected in parallel is given by

$$\underbrace{\frac{1}{R}}_{R_1} = \underbrace{\frac{1}{R_1}}_{R_1} + \underbrace{\frac{1}{R_2}}_{R_2} + \dots + \underbrace{\frac{1}{R_n}}_{R_n}$$

 $J^{'}=\sigma E^{'}$ where σ is a constant of proportionality called electrical conductivity. This statement is one possible form of Ohm's law.

- ullet If the mass of a charge carrier is large, then for a given field $\overset{
 ightarrow}{E}$ its acceleration will be small and will contribute very little to the electric current.
- Electrical Conductivity: When a conducting substance is brought under the influence of an electric field $\overset{\longrightarrow}{E}$, free charges (e.g. free electrons in metals) move under the influence of this field in such a manner, that the current density $\overset{\longrightarrow}{J}$ due to their motion is proportional to the applied electric field.
- Consider a cylindrical material with cross-sectional area A and length L through which a current is passing along the length and normal to the area A, then, since

$$\overset{
ightarrow}{J}$$
 and $\overset{
ightarrow}{E}$ are in the same direction,

$$J = \sigma E$$
 $JAL = \sigma ELA$

Where A is cross-sectional area and L is length of the material through which a current is passing along the length, normal to the area A. But, JA = I, the current



through the area A and EL = V_1 - V_2 , the potential difference across the ends of the cylinder denoting V_1 - V_2 as V,

$$V = \frac{IL}{\sigma A} = RI$$

Where $R=\frac{L}{\sigma A}$ is called resistance of the material. In this form, Ohm's law can be stated as a linear relationship between the potential drop across a substance and the current passing through it.

- Measuring resistance: R is measured in ohm ((Ω)), where $1\Omega = \frac{1V}{A}$
- **EMF:** Emf (Electromotive force) is the name given to a non-electrostatic agency. Typically, it is a battery, in which a chemical process achieves this task of doing work in driving the positive charge from a low potential to a high potential. The effect of such a source is measured in terms of work done per unit charge in moving a charge once around the circuit. This is denoted by ∈
- **Significance of Ohm's Law:** Ohm's law is obeyed by many substances, but it is not a fundamental law of nature. It fails if
- 1. V depends on I non-linearly. Example is when ρ increases with I (even if the temperature is kept fixed).
- 2. The relation between V and I depends on the sign of V for the same absolute value of V.
- 3. The relation between V and I is non-unique. For e.g., GaAs

An example of (a) & (b)is of a rectifier

ullet When a source of emf((arepsilon) is connected to an external resistance R, the voltage V_ext across R is given by

 $V_{ext} = IR = rac{arepsilon}{R+r}R$ Where r is the internal resistance of the source.

• Kirchhoff's First Rule:

At any junction of several circuit elements, the sum of currents entering the junction must be equal the sum of currents leaving it.

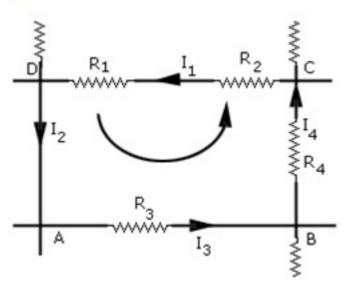
In the above junction, current I enters it and currents I_1 and I_2 leave it. Then, $I = I_1 + I_2$.



This is a consequence of charge conservation and assumption that currents are steady, that is no charge piles up at the junction.

• Kirchhoff's Second Rule:

The algebraic sum of changes in potential around any closed resistor loop must be zero. This is based on the principle that electrostatic forces alone cannot do any work in a closed loop, since this work is equal to the potential difference, which is zero, if we start at one point of the loop and come back to it.



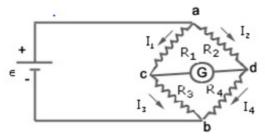
This gives: $(R_1 + R_2) I_1 + R_3 Iv_3 + R_4 I_4 = 0$

$$\therefore \frac{R_1}{R_2} = \frac{R_3}{R_4}$$

• In case of current loops:

- 1. Choose any closed loop in the network and designate a direction (in this example counter clockwise) to traverse the loop.
- 2. Go around the loop in the designated direction, adding emf's and potential differences. An emf is counted as positive when it is traversed (-) to (+) and negative in the opposite case i.e., from (+) to (-). An IR term is counted negative if the resistor is traversed in the same direction of the assumed current, and positive if in the opposite direction.
- 3. Equate the total sum to zero.
- Wheatstone Bridge: Wheatstone bridge is an arrangement of four resistances R_1 , R_2 , R_3 , R_4 . The null point condition is given by,





This is also known as the balanced condition. If R_1 , R_2 , R_3 are known, R_4 can be determined.

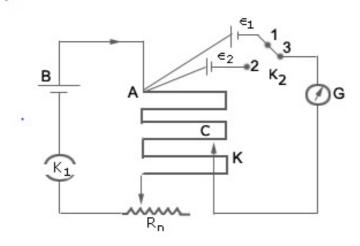
$$R_4=\left(rac{R_2}{R_1}
ight)R_3$$

• In a balanced condition of the meter bridge,

$$\frac{R}{S} = \frac{P}{Q} = \frac{\sigma l_1}{100 - l_1}$$
$$\therefore R = \frac{Sl_1}{(100 - l_1)}$$

Where σ is the resistance per unit length of wire and l_1 is the length of wire from one end where null point is obtained.

• **Potentiometer:** The potentiometer is a device to compare potential differences. Since the method involves a condition of no current flow, the device can be used to measure potential differences; internal resistance of a cell and compare emf's of two sources.



i) Potential Gradient: The potential gradient of the wire in a potentiometer depends on the current in the wire.

If an emf \in_1 is balanced against length l_1 , then $\in_1=
ho l_1$

Similarly, if \in_2 is balanced against l_2 , then $\in_2 =
ho l_2$

The comparison of emf's of the two cells is given by, $\therefore \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2}$