

## KARNATAKA PUE <br>  <br> <br> FOR MARCH <br> <br> FOR MARCH 2019 2019 EXAMINATION

 EXAMINATION}
## PHYSICS



| DAY 9 | 23-May-18 | WEDNESDAY | Chapter 2: Relation and function : <br> Ordered pairs, Cartesian product of sets. Number of elements in the Cartesian product of two finite sets. Cartesian product of the reals with itself (upto $\mathrm{R} \times$ $\mathrm{R} \times \mathrm{R}$ ). |  |  |  |
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| DAY 10 | 24-May-18 | THURSDAY | Relation : Definition of relation, pictorial diagrams, domain, co-domain and range of a relation and examples |  |  |  |
| DAY 11 | 25-May-18 | FRIDAY | Function : Function as a special kind of relation from one set to another. Pictorial representation of a function, domain, codomain and range of a function. Real valued function of the real variable |  |  |  |
| DAY 12 | 26-May-18 | SATURDAY |  | Problem on Relation, Examples of functions |  |  |
|  | 27-May-18 | SUNDAY |  |  |  |  |
| DAY 13 | 28-May-18 | MONDAY | constant, identity, polynomial, rational function with their domain and range. Discussion on graphs of parabola $\mathrm{y}=x^{2}$ and $y=x^{3}$, their domain and range. |  |  |  |
| DAY 14 | 29-May-18 | TUESDAY | modulus, signum and greatest integer functions with their graphs. |  |  |  |
| DAY 15 | 30-May-18 | WEDNESDAY | Algebra of real valued functions: Sum, difference, product and quotients of functions with examples. |  |  |  |
| DAY 16 | 31-May-18 | THURSDAY | Solving problems of Miscellaneous examples on Relation and functions |  |  |  |
| DAY 17 | 01-Jun-18 | FRIDAY |  | INTERACTIVE PRACTICE <br> SESSION ON FINDING  <br> DOMAIN AND RANGE OF  <br> FUNCTIONS BY TAKING  <br> CERTAIN IADDITIONAL  <br> EXAMPLES IN TEXT BOOK  |  |  |
| DAY 18 | 2-Jun-18 | SATURDAY |  | SESSION MAY BE TAKEN FOR SOLVING PROBLEMS OF MISCELLANEOUS EXAMPLES GIVEN IN TEXT BOOK ON RELATION AND FUNCTIONS |  |  |


|  | 03-Jun-18 | SUNDAY |  |  |  |  |
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| DAY 19 | 4-Jun-18 | MONDAY | Chapter 3: TRIGONOMETRY: <br> Angle : Positive and negative angles. Degree Measure, Radian Measure, Getting expression for length of arc of circle. relationship between degree and radians, relationship between radian Measuring angles in radians and in degrees and conversion from one measure to another. Listing standard angles in radians and degrees. |  |  |  |
| DAY 20 | 05-Jun-18 | TUESDAY | Problems on conversion of radians and degrees and length of arc of circle |  |  |  |
| DAY 21 | 6-Jun-18 | WEDNESDAY | Definition of trigonometric functions with the help of unit circle. Truth of the identity $\sin ^{2} x+\cos ^{2} x=1$ and Revision on Trigonometric identities. Defining other trigonometric functions in terms of sine and cosine functions, getting other trigonometric identities from $\sin ^{2} x+\cos ^{2} x$ $=1$ |  |  |  |
| DAY 22 | 07-Jun-18 | THURSDAY | Trigonometric ratios of Quadrantal angles, $0^{\circ}, 180^{\circ}, 270^{\circ}, 360^{\circ}$ degrees. Deducting results for $\sin x=0, \cos x=0, \tan x=0$, $\sin (2 n \pi+x)=\sin x, \quad \cos (2 n \pi+x)=\cos x$, concluding $\sin x$ and $\cos x$ repeats after interval of $2 \pi$ |  |  |  |
| DAY 23 | 8-Jun-18 | FRIDAY |  | REVISION /PROBLEMS ON TRIGONOMETRY |  |  |
| DAY 24 | 09-Jun-18 | SATURDAY |  | REVISION /PROBLEMS ON TRIGONOMETRY |  |  |
|  | 10-Jun-18 | SUNDAY |  |  |  |  |
| DAY 25 | 11-Jun-18 | MONDAY | Revision on Trigonometric ratios of certain standard angles, Sign of Trigonometric functions, |  |  |  |
| DAY 26 | 12-Jun-18 | TUESDAY | Domain and range of trigonometric functions and their graphs |  |  |  |
| DAY 27 | 13-Jun-18 | WEDNESDAY | Given one trigonometric functions and expressing other trigonometric function in terms of it using right angled triangle. |  |  |  |



| DAY 33 | 21-Jun-18 | THURSDAY | Trigonometric Equations : General Solution of trigonometric equations of the type $\sin \theta=\sin \alpha, \cos \theta=\cos \alpha$ and $\tan \theta$ $=\tan \alpha$ and problems |  |  |  |
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| DAY 34 | 22-Jun-18 | FRIDAY |  | PROBLEMS ON TRIGONOMETRY |  |  |
| DAY 35 | 23-Jun-18 | SATURDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
|  | 24-Jun-18 | SUNDAY |  |  |  |  |
| DAY 36 | 25-Jun-18 | MONDAY | Proofs and simple applications of sine and cosine rule. Problems |  |  |  |
| DAY 37 | 26-Jun-18 | TUESDAY |  | Problems on Sine and cosine rule |  |  |
| DAY 38 | 27-Jun-18 | WEDNESDAY | CHAPTER 4: Principle of Mathematical <br> Induction: <br> Principle of mathematical Induction proofs of <br> (a) $\Sigma \cong[n=(n(n+1) / 2]$ <br> (b) $\Sigma \cong\left[n^{\wedge} 2=(n(n+1)(2 n+1)) / 6\right]$ <br> (c) $\Sigma \cong\left[n^{\wedge} 3=\left(n^{\wedge} 2(n+1) \wedge 2\right) / 4\right]$ <br> (d) $\Sigma \cong\left[2 n-1=n^{\wedge} 2\right]$ <br> by mathematical induction |  |  |  |
| DAY 39 | 28-Jun-18 | THURSDAY | Sample problems on mathematical induction |  |  |  |
| DAY 40 | 29-Jun-18 | FRIDAY | PROBLEMS ON MATHEMATICAL INDUCTION |  |  |  |
| DAY 41 | 30-Jun-18 | SATURDAY |  | 5 Mark questions covered in Question bank |  |  |
|  | 01-Jul-18 | SUNDAY |  |  |  |  |
| DAY 42 | 2-Jul-18 | MONDAY | CHAPTER 5: Complex Numbers and Quadratic Equations: <br> Introducing complex numbers using $x^{2}+1=0$, Introducing symbol "I", Deducting the result for $\mathrm{I}^{4 n}=1$, Solving problems of Exercise 5.1, 1, 2 and 3 |  |  |  |



| DAY 55 | 17-Jul-18 | TUESDAY | Solution of system of linear inequalities in two variables -graphically and examples |  |  |  |
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| DAY 56 | 18-Jul-18 | WEDNESDAY | problems from Miscelleneous exercises |  |  |  |
| DAY 57 | 19-Jul-18 | THURSDAY | 1st test |  |  |  |
| DAY 58 | 20-Jul-18 | FRIDAY | 1st test |  |  | 1 TEST |
| DAY 59 | 21-Jul-18 | SATURDAY | 1st test |  |  |  |
|  | 22-Jul-18 | SUNDAY |  |  |  |  |
| DAY 60 | 23-Jul-18 | MONDAY | CHAPTER 10: STRAIGHT LINES: <br> Brief recall of 2-D from earlier classes: mentioning formulae. |  |  |  |
| DAY 61 | 24-Jul-18 | TUESDAY | Inclination of a line, concept of slope, slope of line joining points |  |  |  |
| DAY 62 | 25-Jul-18 | WEDNESDAY | Problems on slope, Slope of parallel and perpendicular lines, collinearity of three points, problems |  |  |  |
| DAY 63 | 26-Jul-18 | THURSDAY | Angle between two lines: problems. |  |  |  |
| DAY 64 | 27-Jul-18 | FRIDAY |  | PROBLEMS OF STRAIGHT LINES |  |  |
| DAY 65 | 28-Jul-18 | SATURDAY |  | PROBLEMS OF EXERCISE 10.1 |  |  |
|  | 29-Jul-18 | SUNDAY |  |  |  |  |
| DAY 66 | 30-Jul-18 | MONDAY | Various forms of equations of a line: Derivation of equation of lines parallel to axes, point-slope form, slope-intercept form, two-point form, |  |  |  |
| DAY 67 | 31-Jul-18 | TUESDAY | Various forms of equations of a line: Derivation of intercepts form and normal form and problems. |  |  |  |
| DAY 68 | 1-Aug-18 | WEDNESDAY | General equation of a line. Reducing $a x+b y+c=0$ into other forms of equation of straight lines. Getting expression for slope, $x$ intercept, $y$ intercept of $a x+b y+c=0$, sample problems |  |  |  |
| DAY 69 | 02-Aug-18 | THURSDAY | Condition for the two lines in general form to be parallel and perpendicular, Equation of family of lines passing through the point of intersection of two lines and problems |  |  |  |


| DAY 70 | 3-Aug-18 | FRIDAY |  | Practice session on Derivation of various forms of straight lines |  |  |
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| DAY 71 | 04-Aug-18 | SATURDAY |  | Problems on straight lines |  |  |
|  | 5-Aug-18 | SUNDAY |  |  |  |  |
| DAY 72 | 06-Aug-18 | MONDAY | Distance of a point from a line, distance between two parallel lines and problems. |  |  |  |
| DAY 73 | 7-Aug-18 | TUESDAY | concurrent lines, Equation of line passing through point of intersection of two lines(given in supplement), problems , Solving Miscellaneous problems on straight lines. |  |  |  |
| DAY 74 | 08-Aug-18 | WEDNESDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 75 | 9-Aug-18 | THURSDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 76 | 10-Aug-18 | FRIDAY |  | REVISION TEST/SOLVING MISCELLANEOUS PROBLEMS ON STRAIGHT LINES |  |  |
| DAY 77 | 11-Aug-18 | SATURDAY | CONIC SECTION : <br> Introduction, section of cone, degenerated conic sections, |  |  |  |
|  | 12-Aug-18 | SUNDAY |  |  |  |  |
| DAY 78 | 13-Aug-18 | MONDAY | CIRCLE : Definition, standard form of equation of circle, General form of equation of circle $x^{2}+y^{2}+2 g x+2 f y+c=0$, center and radius of circle, problems |  |  |  |
| DAY 79 | 14-Aug-18 | TUESDAY | problems on circles continued, <br> Parabola : Definition, Derivation of standard equation of parabola, other forms of parabola, Latus rectum, |  |  |  |
|  | 15-Aug-18 | WEDNESDAY | INDEPENDENCE DAY |  |  |  |
| DAY 80 | 16-Aug-18 | THURSDAY | Problems on parabola |  |  |  |


| DAY 81 | 17-Aug-18 | FRIDAY | Ellipse : <br> Definition, relationship between semi major axis, semi minor axis and distance of focus from the center of the ellipse. Special cases of an ellipse, eccentricity, Deriving standard equation of ellipse |  |  |  |
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| DAY 82 | 18-Aug-18 | SATURDAY |  | PRACTICE SESSION ON DERIVATION OF ELLIPSE, PARABOLA |  |  |
|  | 19-Aug-18 | SUNDAY |  |  |  |  |
| DAY 83 | 20-Aug-18 | MONDAY | Properties of standard form of Ellipse, other form of ellipse having center at origin, Finding length of latus rectum of parabola, eccentricity, Problems |  |  |  |
| DAY 84 | 21-Aug-18 | TUESDAY | Hyperbola: <br> Definition, Derivation, other form, properties |  |  |  |
|  | 22-Aug-18 | WEDNESDAY | BAKRID |  |  |  |
| DAY 85 | 23-Aug-18 | THURSDAY | Problems on Hyperbola | - |  |  |
| DAY 86 | 24-Aug-18 | FRIDAY |  | Solving Miscellaneous examples and problems |  |  |
| DAY 87 | 25-Aug-18 | SATURDAY |  | Practice session on Problems on conics |  |  |
|  | 26-Aug-18 | SUNDAY |  |  |  |  |
| DAY 88 | 27-Aug-18 | MONDAY | LIMITS AND DERIVATIVES: <br> Limits: Indeterminate forms, existence of functional value, Meaning of $x \rightarrow a$, idea of limit, Left hand limit, Right hand limit, Existence of limit, definition of limit, |  |  |  |
| DAY 89 | 28-Aug-18 | TUESDAY | Algebra of limits, Proof of $\lim _{x \rightarrow a} f(x)$ <br> for positive integers only, PROBLEMS |  |  |  |
| DAY 90 | 29-Aug-18 | WEDNESDAY | Limits of Trigonometric functions: Sandwich theorem, Proof $\lim _{x \rightarrow a} f(x)$ <br> getting result for $\lim _{x \rightarrow a} f(x)$ and problems |  |  |  |



| DAY 103 | 14-Sep-18 | FRIDAY | MID TERM EXAMINATION |  |  |  |
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| DAY 104 | 15-Sep-18 | SATURDAY | MID TERM EXAMINATION |  |  | MID TERM |
|  | 16-Sep-18 | SUNDAY |  |  |  |  |
| DAY 105 | 17-Sep-18 | MONDAY | MID TERM EXAMINATION |  |  |  |
| DAY 106 | 18-Sep-18 | TUESDAY | MID TERM EXAMINATION |  |  |  |
| DAY 107 | 19-Sep-18 | WEDNESDAY | MID TERM EXAMINATION |  |  |  |
| DAY 108 | 20-Sep-18 | THURSDAY | MID TERM EXAMINATION |  |  |  |
|  | 21-Sep-18 | FRIDAY | LAST DAY OF MOHARRUM |  |  |  |
| DAY 109 | 22-Sep-18 | SATURDAY | REVISION |  |  |  |
|  | 23-Sep-18 | SUNDAY |  |  |  |  |
| DAY 110 | 24-Sep-18 | MONDAY | PERMUTATION AND COMBINATION : Fundamental principle of counting. Factorial n, PROBLEMS |  |  |  |
| DAY 111 | 25-Sep-18 | TUESDAY | Permulations : Definition, examples, derivation of formulae ${ }^{n} \mathrm{P}_{r}$. Permutation when all the objects are not distinct, problems |  |  |  |
| DAY 112 | 26-Sep-18 | WEDNESDAY | Problems on Permutations |  |  |  |
| DAY 113 | 27-Sep-18 | THURSDAY | Problems on Permutations |  |  |  |
| DAY 114 | 28-Sep-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 115 | 29-Sep-18 | SATURDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
|  | 30-Sep-18 | SUNDAY |  |  |  |  |
| DAY 116 | 01-Oct-18 | MONDAY | Combination: Definition, examples Proving ${ }^{n} \mathrm{C}_{r}={ }^{n} \mathrm{C}_{r} r!,{ }^{n} \mathrm{C}_{r}={ }^{n} \mathrm{C}_{n-r}$ <br> Problems based on above formulae. |  |  |  |
|  | 2-Oct-18 | TUESDAY | MAHATHMA GANDHI JAYANTHI |  |  |  |
| DAY 117 | 03-Oct-18 | WEDNESDAY | Problems on Combination |  | - |  |
| DAY 118 | 4-Oct-18 | THURSDAY | Problems on Combination |  |  |  |
| DAY 119 | 05-Oct-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank | $\sqrt{V}$ |  |



| DAY 127 | 30-Oct-18 | TUESDAY | BINOMIAL THEOREM: <br> History, statement and proof of the binomial theorem for positive integral indices Pascal's triangle, |  |  |  |
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| DAY 128 | 31-Oct-18 | WEDNESDAY | Statement and Proof of Binomial theorem, general and middle term in binomial expansion, some special cases of Binomial theorem |  |  |  |
|  | 1-Nov-18 | THURSDAY | KANNADA RAJYOTHSAVA |  |  |  |
| DAY 129 | 02-Nov-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 130 | 3-Nov-18 | SATURDAY |  | PRACTICE SESSION ON DERIVATIONS |  |  |
|  | 04-Nov-18 | SUNDAY |  |  |  |  |
| DAY 131 | 5-Nov-18 | MONDAY | Using binomial theorem, evaluating $98^{5}$ etc, Problems |  |  |  |
|  | 06-Nov-18 | TUESDAY | NARAKA CHATURDASHI |  |  |  |
| DAY 132 | 7-Nov-18 | WEDNESDAY | Problems on Binomial theorem |  |  |  |
|  | 08-Nov-18 | THURSDAY | BALIPADYAMI DEEPAWALI |  |  |  |
| DAY 133 | 9-Nov-18 | FRIDAY | Problems on Binomial theorem | $\square$ |  |  |
| DAY 134 | 10-Nov-18 | SATURDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
|  | 11-Nov-18 | SUNDAY |  |  |  |  |
| DAY 135 | 12-Nov-18 | MONDAY | Recapitulation of Sequence and series |  |  |  |
| DAY 136 | 13-Nov-18 | TUESDAY | Sequence and Series: <br> Definitions, Problems <br> Arithmetic Progression (A.P.): <br> Definition, examples, general term of AP, nth term of AP, sum to $n$ term of AP, Problems |  |  |  |
| DAY 137 | 14-Nov-18 | WEDNESDAY | Problems on AP | $\bigcirc$ |  |  |
| DAY 138 | 15-Nov-18 | THURSDAY | Arithmetic Mean (A.M.) and problems. Geometric Progression (G.P.) : General term of a G.P., $n^{\text {th }}$ term of GP, sum of $n$ terms of a G.P. , and problems |  | $V$ |  |


| DAY 139 | 16-Nov-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
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| DAY 140 | 17-Nov-18 | SATURDAY |  | Selected questions of 1M, 2M, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
|  | 18-Nov-18 | SUNDAY |  |  |  |  |
| DAY 141 | 19-Nov-18 | MONDAY | Problems on GP,Infinite G.P and its sum, geometric mean (G.M.). |  |  |  |
| DAY 142 | 20-Nov-18 | TUESDAY | Problems on nth term and sum to n term of series |  |  |  |
|  | 21-Nov-18 | WEDNESDAY | EID MILAD |  |  |  |
| DAY 143 | 22-Nov-18 | THURSDAY | Relation between A.M. and G.M. and problems. <br> Sum to $n$ terms of the special series : $\Sigma n$, $\Sigma n^{2}$ and $\Sigma n^{3}$ |  |  |  |
| DAY 144 | 23-Nov-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 145 | 24-Nov-18 | SATURDAY |  | Solving Miscellaneous examples and problems |  |  |
|  | 25-Nov-18 | SUNDAY |  |  |  |  |
|  | 26-Nov-18 | MONDAY | KANAKADASA JAYANTHI |  |  |  |
| DAY 146 | 27-Nov-18 | TUESDAY | Probability : <br> Random experiments: outcomes, sample spaces (set representation). |  |  |  |
| DAY 147 | 28-Nov-18 | WEDNESDAY | Problems on describing sample space for indicated experiment |  |  |  |
| DAY 148 | 29-Nov-18 | THURSDAY | Types of Events : <br> Occurrence of events, simple event, compound event, impossible event, sure event, complimentary event, 'not', 'and' \& 'or' events |  |  |  |
| DAY 149 | 30-Nov-18 | FRIDAY |  | Selected questions of $1 \mathrm{M}, 2 \mathrm{M}$, $3 \mathrm{M} \& 5 \mathrm{M}$ of topics covered this week from question bank |  |  |
| DAY 150 | 1-Dec-18 | SATURDAY |  | REVISION ON PROBABILITY |  |  |


|  | 02-Dec-18 | SUNDAY |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DAY 151 | 3-Dec-18 | MONDAY | Exhaustive events, mutually exclusive events. Problems |  |  |  |
| DAY 152 | 04-Dec-18 | TUESDAY | Problems on Mutually exclusive and Exhaustive events |  |  |  |
| DAY 153 | 5-Dec-18 | WEDNESDAY | Axiomatic (set theoretic) probability, examples |  |  |  |
| DAY 154 | 06-Dec-18 | THURSDAY | 2nd test |  |  |  |
| DAY 155 | 7-Dec-18 | FRIDAY | 2nd test |  |  | 2 TEST |
| DAY 156 | 08-Dec-18 | SATURDAY | 2nd test |  |  |  |
|  | 9-Dec-18 | SUNDAY |  |  |  |  |
| DAY 157 | 10-Dec-18 | MONDAY | Probability of an event, Probability of equally likely outcomes, Probability of Event A or B, problems |  |  |  |
| DAY 158 | 11-Dec-18 | TUESDAY | Probability of event 'not A" problems, problems on probability |  |  |  |
| DAY 159 | 12-Dec-18 | WEDNESDAY | STATISTICS : <br> Measures of dispersion, Mean deviation of ungrouped data and grouped data, Discrete frequency distribution, |  |  |  |
| DAY 160 | 13-Dec-18 | THURSDAY | Mean deviation about Mean, short cut method, Problems |  |  |  |
| DAY 161 | 14-Dec-18 | FRIDAY |  | SOLVING MISCELLANEOUS PROBLEMSONPROBABILITY |  |  |
| DAY 162 | 15-Dec-18 | SATURDAY |  | MCQ/TEST/PRACTICE SESSIONS |  |  |
|  | 16-Dec-18 | SUNDAY |  |  |  |  |
| DAY 163 | 17-Dec-18 | MONDAY | Mean deviation about Median, problems |  |  |  |
| DAY 164 | 18-Dec-18 | TUESDAY | Variance and standard deviation |  | $0$ |  |
| DAY 164 | 19-Dec-18 | WEDNESDAY | standard deviation of discrete frequency distribution, problems, Standard deviation of continuous frequency distribution, problems |  |  |  |
| DAY 165 | 20-Dec-18 | THURSDAY | short cut method to find variance and standard deviation, problems |  | $N$ |  |




## DESIGN OF THE QUESTION PAPER

Time: 3 Hours 15 Minutes (of which 15 minuts for reading the question paper).
Maximum Marks: 100 The weightage of the distribution of marks over different dimensions of the question paper shall be as follows :
A. WEIGHTAGE TO OBJECTIVES

| Objective | Weightage | Marks |
| :--- | :---: | :---: |
| Knowledge | $40 \%$ | $43 / 105$ |
| Understanding | $30 \%$ | $31 / 105$ |
| Application | $20 \%$ | $21 / 105$ |
| Skill | $10 \%$ | $10 / 105$ |

## B. WEIGHTAGE TO CONTENT/SUBJECT UNITS:

| Unit <br> No. | Chapter <br> No. | Topic | No. of Hours | Weightage Marks |
| :---: | :---: | :---: | :---: | :---: |
| I | 1 | Physical world | 2 | 2 |
|  | 2 | Unit and measurement | 4 | 3 |
| II | 3 | Motion in a straight line | 8 | 7 |
|  | 4 | Motion in a plane | 12 | 11 |
| III | 5 | Laws of motion | 11 | 10 |
| IV | 6 | Work energy and power | 11 | 10 |
| V | 7 | System of particles and rigid body | 12 | 10 |
| VI | 8 | Gravitation | 9 | 8 |
| VII | 9 | Mechanical properties of solids | 5 | 4 |
|  | 10 | Mechanical properties of fluids | 5 | 4 |
|  | 11 | Thermal properties of matter | 10 | 9 |
| VIII | 12 | Thermodynamics $\rightarrow$ | 8 | 7 |
| IX | 13 | Kinetic theory | 5 | 4 |
| X | 14 | Oscillations $\square+5$ | 8 | 7 |
|  | 15 | Waves | 10 | 9 |
|  | , | 2 Total | 120 | 105 |

Note: Variation of 1 Mark per chapter is allowed, however the total marks should not exceed 105.
C. WEIGHTAGE TO FORMS OF QUESTIONS:

| Part | Question <br> Main | Type of Questions | Marks | Number of <br> questions to be <br> set | Number of <br> questions to be <br> answered |
| :---: | :---: | :--- | :---: | :---: | :---: |
| A | I | Very short answer (VSA) | 1 | 10 | 10 |
| B | II | short answer (SA 1) | 2 | 8 | 5 |
| C | III | short answer (SA 2) | 3 | 8 | 5 |
| D | IV | Long answer (LA) | 5 | 3 | 2 |
|  | V | Long answer (LA) | 5 | 3 | 2 |
|  | VI | Numerical Problems (NP) | 5 | 5 | 3 |

## Note:

1. L A Questions in IV and V mains should not be split in to SA and VSA type Questions.
2. L A Questions in IV Main must be set from Unit I to V.
3. L A Questions in V Main must be set from Unit VI to X.
4. N P Questions in VI Main must be set such that one Numerical Problem is from every 2 successive units.

## D. WEIGHTAGE TO LEVEL OF DIFFICULTY:

| Level | Weightage | Marks |
| :--- | :---: | :---: |
| Easy | $40 \%$ | $43 / 105$ |
| Average | $40 \%$ | $42 / 105$ |
| Difficult | $20 \%$ | $20 / 105$ |

## GENERAL INSTRUCTIONS:

- Questions should be clear, unambiguous, understandable and free from grammatical errors.
- Questions which are based on same concept, law, fact etc. and which generate the same answer should not be repeated under different forms (VSA, SA, LA and NP).
- Questions must be set based on the blow up syllabus only.


## SAMPLE BLUE PRINT

## PUC-I : PHYSICS (33)

| Unit | Chapter | Topic | $\begin{array}{\|l\|} \hline \begin{array}{l} \text { Teach- } \\ \text { ing } \\ \text { Hours } \end{array} \\ \hline \end{array}$ | Marks allotted | $\begin{gathered} 1 \\ \text { mark } \\ \text { (VSA) } \end{gathered}$ | 2 marks (SA1) <br> (SA1) | 3 marks (SA2) <br> (SA2) | $\begin{gathered} 5 \\ \text { marks } \end{gathered}$ (LA) | $\begin{gathered} 5 \\ \text { marks } \end{gathered}$ (NP) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| I | 1. | Physical world | 2 | 2 | $\bigcirc$ | $\checkmark$ | $\square$ |  |  |
|  | 2. | Units and measurement | 4 | 3 | $\checkmark$ | $\checkmark$ |  |  |  |
| II | 3. | Motion in a straight line | 8 | 7 |  | $\checkmark$ |  | $\checkmark$ |  |
|  | 4. | Motion in a plane | 12 | 11 | $r$ | $\checkmark$ | $\checkmark$ |  | $\checkmark$ |
| III | 5. | Lows of motion | 11 | 10 | er | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |
| IV | 6. | Work energy and power | 11 |  | $\checkmark$ |  | $\checkmark$ |  | $\checkmark$ |
| V | 7. | System of particles and rigid body | $12$ | $11$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |
| VI | 8. | Gravitation | 9 | 8 |  |  | $\checkmark$ |  | $\checkmark$ |
| VII | 9. | Mechanical properties of solids | 5 | 4 | $\checkmark$ |  | $\checkmark$ |  |  |
|  | 10. | Mechanical properties of fluids | $\square^{5}$ | 4 | $\checkmark$ | $\checkmark$ |  |  |  |
|  | 11. | Thermal properties of matter | 10 | 9 | $\checkmark$ |  | $\checkmark$ |  | $\checkmark$ |
| VIII | 12. | Thermodynamics $>$ | 8 | 6 | $\checkmark$ |  |  | $\checkmark$ |  |
| IX | 13. | Kinetic theory | 5 | 4 | $\checkmark$ |  | $\checkmark$ |  |  |
| X | 14. | Oscillations | 8 | 7 |  | $\checkmark$ |  | $\checkmark$ |  |
|  | 15. | Waves | 10 | 10 |  |  |  | $\checkmark$ | $\checkmark$ |
|  |  | Total | 120 | 105 | 10 | 16 | 24 | 30 | 25 |

## I PUC 2018

## Physics Subject Code 33 (N)

Time : 3 Hours 15 Min.

## General Instructions :

1. All parts are compulsory.
2. Answers without relevant diagram/figure/circuit wherever necessary will not carry any marks.
3. Numerical problems should be solved with relevant formulae.

## PART-A

I. Answer ALL the following questions :

1. What are fundamental units?
2. Define centripetal acceleration.
3. When is work done by the force positive?
4. Express torque in vector form.
5. Give the relation between stress and strain.
6. State Pascal's Law.
7. What is magnus effect ?
8. Define heat capacity.
9. Mention the formulae for coefficient of performance of a refrigerator.
10. Define mean free path.

## PART-B

II. Answer any FIVE of the following questions:
11. Mention two fundamental forces in nature.
12. Write the dimensional formulae for
(a) Force
(b) Pressure
13. Define displacement and acceleration.
14. Give the representation for Scalar product and Vector product of two vectors.
15. Mention any two methods of reducing friction.
16. Write the general conditions for equilibrium of a rigid body.
17. Explain the application of surface tension idea in case of action of detergents.
18. What is simple harmonic motion? Give one example.

## PART-C

III. Answer any FIVE of the following questions :
19. Derive an expression for maximum height of a projectile.
20. What is angle of banking? Mention an expression for maximum safe speed of a vehicle on a level road and express the symbols.
21. Distinguish between conservative and non conservative forces.
22. Compare the equations of linear motion with rotational motion.
23. State Kepler's laws of planetary motion.
24. Derive an expression for Young's modulus of a wire in terms of its radius.
25. Prove that $\alpha_{v}=\frac{1}{\mathrm{~T}}$ for ideal gas.
26. Mention three assumptions of Kinetic theory of gases.

To know about more useful books for 1-PUC click here

## PART-D

IV. Answer any TWO of the following questions:
27. What is velocity-time graph ? Derive the equation $x=v_{0} t+\frac{1}{2} \mathrm{at}^{2}$ by graphical method.
28. State and prove law of conservation of linear momentum.
29. Define Torque and angular momentum.

Derive the relation between torque and angular momentum.
V. Answer any TWO of the following questions :
30. Explain different stages of Carnot's cycle with P-V diagram.
31. Derive an expression for time period of oscillating bob of simple pendulum.
32. Mention the differences between progressive and stationary waves.
VI. Answer any THREE of the following questions :
$3 \times 5=15$
33. An aircraft executes a horizontal loop of radius 1 km with a steady speed of 900 kmph . Compare its centripetal acceleration with acceleration due to gravity.
34. A man weighing 49 kg carries a bag of 2 kg . He climbs to the top of a building 100 m tall in 5 minutes. Calculate the work done by the man and the power he develops.
35. Calculate ' $g$ ' at the bottom of a mine 8 km deep and at an altitude 32 km above the earth's surface. Radius of earth $=6.4 \times 10^{6} \mathrm{~m}$ and $g$ on earth's surface $=9.8 \mathrm{~m} / \mathrm{s}^{2}$.
36. A cubical ice box of thermocol has each side 30 cm and thickness 5 cm .4 kg of ice is put in the box, if outside temperature is $45^{\circ} \mathrm{C}$ and coefficient of thermal conductivity is $0.01 \mathrm{Js}^{-1} \mathrm{~m}^{-1} \mathrm{~K}^{-1}$. Calculate the mass of ice left after 6 hrs. Take latent heat of fusion of ice is $335 \times 10^{3} \mathrm{~J} \mathrm{Kg}^{-1}$
37. The apparent frequency of a note when an observer moves towards a stationary source with a velocity $20 \mathrm{~m} / \mathrm{s}$ is 200 Hz . Calculate the actual frequency of a note. Also, calculate wavelength if velocity of sound in air is 350 $\mathrm{m} / \mathrm{s}$.

# SOLUTIONS <br> As Per Scheme of Valuation (Issued by Department of PUE, Karnataka) 

## PART - A

I. 1. These are the units of fundamental physical quantities.
[Scheme of Valuation 2018] 1

## Detailed Answer :

Meter, Kilogram, Second, Kelvin, Ampere, Candela and mole are the fundamental units of physical quantities.
2. It is the acceleration along the radial line and always directed towards the center of the circular path.
3. If the applied force and displacement are in the same direction.
[Scheme of Valuation 2018] 1

## Detailed Answer :

$\mathrm{W}=\overrightarrow{\mathrm{F}} \cdot \vec{s}=\mathrm{Fs} \cos \theta$
for $\cos \theta$ to be positive $\left(\theta<90^{\circ}\right)$.
$\therefore$ Work done is positive.
4. $\vec{\tau}=\vec{r} \times \overrightarrow{\mathrm{F}}$.
5. Directly proportional.
[Scheme of Valuation 2018] 1

## Detailed Answer :

Stress $\propto$ Strain (within elastic limit).
6. The pressure applied to any part of enclosed liquid is transmitted undiminished equally in all directions. $\mathbf{1}$
7. It is the dynamic lift due to spinning of ball.
[Scheme of Valuation 2018] 1

## Detailed Answer :

The thrust on a cylinder rotating about its axis while in motion in a fluid, the thrust being perpendicular to the relative motion of the cylinder in the fluid.
8. It is the quantity of heat required to raise the temperature of whole substance through 1 K .
9. $\alpha=\frac{\mathrm{Q}_{2}}{W}$ or $\alpha=\frac{\mathrm{Q}_{2}}{\mathrm{Q}_{1}-\mathrm{Q}_{2}}$.
[Scheme of Valuation 2018] 1

## Detailed Answer :

Coefficient of performance
$\beta=\frac{Q_{2}}{Q_{1}-Q_{2}}$ or $\frac{T_{2}}{T_{1}-T_{2}}$
$Q_{1}$ - amount of heat released to the source
$Q_{2}$ — amount of heat extracted from cold reservoir
$\mathrm{T}_{1}$ - surrounding air, high temp.
$\mathrm{T}_{2}$ - Cold reservoir, low temp.
10. It is the average distance covered by the molecule between two successive collisions.

## PART - B

II. 11. Gravitational force, Electromagnetic force, Strong nuclear force, Weak nuclear force.
(Any two) 2
12. Force $=L^{1} M^{1} T^{-2}$, Pressure $=L^{-1} M^{1} T^{-2}$.
13. It is the shortest distance between the initial and final positions of the body.

It is the rate of change of velocity.
14. $\vec{a} \cdot \vec{b}=|\vec{a}| \cdot|\vec{b}| \cos \theta$
$\vec{a} \times \vec{b}=|\vec{a}||\vec{b}| \sin \theta$
15. Polishing, lubrication, streamlining, using ball bearings.
(Any two) 2
16. A body is said to be in translation equilibrium, if vector sum of external forces acting on the body is zero.
$\sum \overrightarrow{\mathrm{F}}_{i}=0$
A body is said to be in rotational equilibrium if the vector sum of external torques acting on the body is zero.

$$
\sum \overrightarrow{\tau_{i}}=0
$$

17. When detergents are added to water, surface tension decreases, detergents pull out oil and grease and clean dirty clothes.
18. It is an oscillatory motion in which the acceleration of particle is directly proportional to its displacement and is always directed towards its mean position.

Oscillations of the bob of a simple pendulum.

## PART - C

III. 19. For vertical upward motion, $v^{2}=u^{2}-2 g h$

At highest position $v=0, u=u \sin \theta, h=\mathrm{H}$
$\mathrm{H}=\frac{u^{2} \sin ^{2} \theta}{2 g}$
[Scheme of Valuation 2018] 1

## Detailed Answer :



At maximum height

$$
\begin{aligned}
u_{y} & =u \sin \theta ; t=\frac{\mathrm{T}}{2}=\frac{u \sin \theta}{g} \\
h & =u t+\frac{1}{2} g t^{2} \\
h & =u \sin \theta \cdot \frac{u \sin \theta}{g}+\frac{1}{2}(-g) \frac{u^{2} \sin ^{2} \theta}{g^{2}} \\
h & =\frac{u^{2} \sin ^{2} \theta}{2 g}
\end{aligned}
$$

20. It is the angle between the inclined surface of the road and the horizontal.

$$
\begin{equation*}
v_{\max }=\sqrt{\mathrm{u}_{s} r g} \tag{1}
\end{equation*}
$$

21. 

| Conservative | Non Conservative |
| :--- | :--- |
| Work done by this force depends on initial and final <br> position of the body. | Work done by this force depends on the path <br> followed by body. |
| Work done in a round trip is zero. | Work done in a round trip is not zero. |
| Work done is completely recoverable. | Work done is not completely recoverable. |
| It is central in nature. | It is retarding in nature. |

22. 

| Linear motion | Rotational motion |
| :--- | :--- |
| $v=u+a t$ | $w_{f}=w_{i}+\alpha t$ |
| $v^{2}=u^{2}+2 a x$ | $w_{f}^{2}=w_{i}^{2}+2 \alpha \theta$ |
| $x=u t+\frac{1}{2} \mathrm{at}^{2}$ | $\theta=w_{i} t+\frac{1}{2} \alpha t^{2}$ |

23. All planets move around the sun in elliptical orbits with the sun at one of the foci.

An imaginary line that joins the planet and the planet sweeps out equal areas in equal interval of time.
Square of the period of revolution of the planet around the sun is directly proportional to the cube of the length of the semi major axis of ellipse.
24.

$$
y=\frac{\text { longitudinal stress }}{\text { longitudinal strain }}
$$

$$
y=\frac{\mathrm{F} / \mathrm{A}}{d l / l}
$$

$$
y=\frac{\mathrm{F} l}{\pi r^{2} d l}
$$

25. 

$$
\begin{aligned}
\mathrm{P} V & =\mathrm{RT} \\
\mathrm{P} d V & =\mathrm{R} d \mathrm{~T} \\
\alpha & =\frac{1}{\mathrm{~T}}
\end{aligned}
$$

## Detailed Answer :

From Gibbs Free Energy, $\alpha$ is defined as

$$
\begin{equation*}
\alpha=\frac{1}{\mathrm{~V}}\left(\frac{\partial \mathrm{~V}}{\partial \mathrm{~T}}\right)_{\mathrm{P}} \tag{i}
\end{equation*}
$$

Now, from Ideal Gas Equation

$$
\begin{equation*}
\mathrm{PV}=n \mathrm{RT} \tag{ii}
\end{equation*}
$$

Now, doing partial differential in equation (ii)
or

$$
\begin{align*}
\mathrm{P}\left(\frac{\partial \mathrm{~V}}{\partial \mathrm{~T}}\right)_{\mathrm{P}} & =n \mathrm{R} \\
\left(\frac{\partial \mathrm{~V}}{\partial \mathrm{~T}}\right)_{\mathrm{P}} & =\frac{n \mathrm{R}}{\mathrm{P}} \tag{iii}
\end{align*}
$$

Now, from equation (i), (ii) and (iii)

$$
\begin{aligned}
& \alpha=\frac{1}{\mathrm{~V}}\left(\frac{\partial \mathrm{~V}}{\partial \mathrm{~T}}\right)_{\mathrm{P}}=\frac{n \mathrm{R}}{\mathrm{VP}}=\frac{1}{\mathrm{~T}} \\
& \alpha_{v}=\frac{1}{\mathrm{~T}}
\end{aligned}
$$

This is the required relation.
26. Given amount of gas is collection of large number of molecules.

All molecules are in incessant random motion
Molecular collisions are elastic
Molecular collisions are instantaneous.
(Any three) [Scheme of Valuation 2018]

## Detailed Answer :

(i) A gas consists of large number of perfect elastic sphere molecules.
(ii) Molecules are in state of random motion.
(iii) Size of the gas molecules is very small compared to the distance between them.
(iv) No force of attraction or repulsion between molecules.
(v) The collisions of the molecules are perfectly elastic.
(vi) Molecular density is uniform throughout the gas.
(vii) The collisions are instantaneous.
(Any three)

## PART - D

IV
27. It is the graph obtained by plotting instantaneous velocities of a body Vs time.

$$
\begin{array}{ll}
x=\text { area of rectangle OACD + area of triangle ACB } & \mathbf{1} \\
v=u+a t & \mathbf{1}
\end{array}
$$

$$
x=u_{0} t+\frac{1}{2} a t^{2}
$$

[Scheme of Valuation 2018]

## Detailed Answer :

A graph plotted between velocity on $y$-axis to the time on $x$-axis is called velocity-time graph.


Area under velocity-time graph represents distance covered from graph

$$
\begin{aligned}
\text { acceleration } a & =\frac{\mathrm{DB}}{\mathrm{AD}}=\frac{\mathrm{DB}}{t} \\
\therefore \quad \mathrm{DB} & =a t \\
& \text { Distance travelled }
\end{aligned}=\text { area of } \triangle \mathrm{ADB}+\text { area of rectangle } \mathrm{OADE} \text { e }
$$

$$
\begin{aligned}
\mathrm{S} & =\frac{1}{2} \mathrm{DB} \times \mathrm{AD}+\mathrm{OA} \times \mathrm{OE} \\
& =\frac{1}{2} a t \times t+u \times t \\
\mathrm{~S} & =u t+\frac{1}{2} a t^{2}
\end{aligned}
$$

28. Statement

$$
\begin{aligned}
\text { Impulse } & =\text { change in moment } \\
\mathrm{F}_{\mathrm{AB}} & =-\mathrm{F}_{\mathrm{BA}} \text { from Newton's third law } \\
\mathrm{P}_{\mathrm{A}}^{\prime}-\mathrm{P}_{\mathrm{A}} & =-\left(\mathrm{P}_{\mathrm{B}}^{\prime}-\mathrm{P}_{\mathrm{B}}\right)
\end{aligned}
$$

$$
\mathrm{P}_{\mathrm{A}}+\mathrm{P}_{\mathrm{B}}=\mathrm{P}_{\mathrm{A}}^{\prime}+\mathrm{P}_{\mathrm{B}}^{\prime}
$$

## [Scheme of Valuation 2018]

## Detailed Answer :

In an isolated system, the vector sum of the linear momentum of all the bodies of the system is conserved and is not affected due to their mutual action and reaction.

Let two bodies $A$ and $B$ have initial momentum $P_{A}$ and $P_{B}$.
During collision,
$\mathrm{F}_{\mathrm{AB}} \rightarrow$ force on A by B and
$\mathrm{F}_{\mathrm{BA}} \rightarrow$ force on B by A
From Newton's 2nd law

$$
\begin{aligned}
\mathrm{F}_{\mathrm{AB}} \times t & =\text { change in linear momentum of } \mathrm{A}=\mathrm{P}_{\mathrm{A}}^{\prime}-\mathrm{P}_{\mathrm{A}} \\
\text { and } \mathrm{F}_{\mathrm{BA}} \times t & =\mathrm{P}_{\mathrm{B}}^{\prime}-\mathrm{P}_{\mathrm{B}}
\end{aligned}
$$

As per Newton's 3rd law

$$
\begin{aligned}
\mathrm{F}_{\mathrm{AB}} & =-\mathrm{F}_{\mathrm{BA}} \\
\mathrm{P}_{\mathrm{A}}^{\prime}-\mathrm{P}_{\mathrm{A}} & =-\left(\mathrm{P}_{\mathrm{B}}^{\prime}-\mathrm{P}_{\mathrm{B}}\right) \\
\mathrm{P}_{\mathrm{A}}^{\prime}+\mathrm{P}_{\mathrm{B}}^{\prime} & =\mathrm{P}_{\mathrm{A}}+\mathrm{P}_{\mathrm{B}}
\end{aligned}
$$

i.e., Total final momentum $=$ Total initial momentum.
29. Torque is the product of magnitude of force acting on a particle and perpendicular distance between the lines of action of forces and axis of rotation.
Angular momentum is the product of linear momentum and perpendicular distance of the particle from axis of rotation.

$$
\begin{equation*}
\overrightarrow{\mathrm{L}}=\overrightarrow{\mathrm{P}} \times \vec{r} \tag{1}
\end{equation*}
$$

On differentiating

$$
\begin{aligned}
\frac{d \overrightarrow{\mathrm{~L}}}{d t} & =m \cdot \vec{v} \times \vec{v}+\vec{r} \times \overrightarrow{\mathrm{F}} \\
\vec{\tau} & =\frac{d \overrightarrow{\mathrm{~L}}}{d t}
\end{aligned}
$$

## V. 30 P. V. Diagram

Stage 1: Gas absorbs an amount of heat $Q_{1}$ from the source at constant temperature $T_{1} K$. $\mathbf{1}$
Stage 2: Gas is allowed to expand adiabatically till temperature falls from $T_{1}$ to $T_{2}$.
Stage 3 : Gas is compressed isothermally, an amount of heat $Q_{2}$ is rejected into the sink.
Stage 4 : Gas is compressed adiabatically till it returns to its initial state.
[Scheme of Valuation 2018] 1

## Detailed Answer :

P - V diagram

31. Force that accelerates the bob = component of weight towards mean position

$$
\begin{equation*}
m\left(-w^{2} y\right)=-m g \sin \theta \tag{1}
\end{equation*}
$$

For small angular displacement $\sin \theta \approx \theta, \theta=\frac{y}{l}$ (fig)

$$
\mathrm{T}=2 \pi \sqrt{\frac{l}{g}}
$$

[Scheme of Valuation 2018] 1

## Detailed Answer :

The tangential component of force $m g$ is $m g \sin \theta$

$$
\begin{aligned}
& \text { Torque : }-\mathrm{L}(m g \sin \theta)=\mathrm{I} \alpha \\
& \text { Angular acceleration } \alpha=\frac{-m g \mathrm{~L} \sin \theta}{\mathrm{I}}
\end{aligned}
$$

For smaller displacement $\sin \theta^{\circ}=\theta($ rad $)$
i.e.,

hence,

$$
\begin{aligned}
& \omega^{2}=\frac{m g \mathrm{~L}}{\mathrm{I}} \text { or } \omega=\sqrt{\frac{m g \mathrm{~L}}{\mathrm{I}}} \text { but } \omega=\frac{2 \pi}{\mathrm{~T}} \text { and } \mathrm{I}=\mathrm{mL}^{2} \\
& \frac{2 \pi}{\mathrm{~T}}=\sqrt{\frac{m g \mathrm{~L}}{m \mathrm{~L}^{2}}} \therefore \mathrm{~T}=2 \pi \sqrt{\frac{\mathrm{~L}}{g}}
\end{aligned}
$$

32. 

| Progressive wave | Stationary wave |
| :--- | :--- |
| It is due to continuous vibration of particles in <br> medium. | It is due to the superposition of two identical <br> waves in opposite direction. |
| It transports energy. | It does not transport energy. |
| It travels with definite velocity. <br> Amplitude of vibrating particles is same. | It is localised. <br> Amplitude is different for different particles |
| No particles are permanently at rest. | Particles at nodes are permanently at rest. |
| It is represented by $y=a \sin (\omega t-k x)$ | It is represented by $y=2 a \cos k x \sin \omega t$. |

33. 

$$
a_{c}=\frac{v^{2}}{r}
$$

$r=1 \mathrm{~km}, v=900 \mathrm{kmph}=250 \mathrm{~m} / \mathrm{s}, g=9.8 \mathrm{~m} / \mathrm{s}^{2}$

$$
\begin{aligned}
a_{c} & =62.5 \mathrm{~m} / \mathrm{s}^{2} \\
\frac{a_{c}}{g} & =6.38
\end{aligned}
$$

$$
a_{c}=6.38 \mathrm{~g}
$$

$$
\mathrm{W}=\mathrm{mgh} \quad 1
$$

$$
\mathrm{W}=4.9 \times 10^{4} \mathrm{~J}
$$

$$
\mathrm{P}=\frac{\mathrm{W}}{t}
$$

$$
\mathrm{P}=163.3 \mathrm{~W}
$$

$$
1
$$

Unit of work and power

## Detailed Answer :

$$
\begin{aligned}
m & =49+2=51 \mathrm{~kg} \\
\mathrm{~W} & =\mathrm{m} \cdot \mathrm{~g} \cdot \mathrm{~h}=51 \times 9.8 \times 100 \\
& =49980 \mathrm{~J} \\
\mathrm{P} & =\frac{\mathrm{W}}{t}=\frac{49980}{5 \times 60}=166.6 \mathrm{~W}
\end{aligned}
$$

35. 

$$
\begin{aligned}
& g^{\prime}=\left[1-\frac{2 h}{\mathrm{R}}\right] \\
& g^{\prime}=9.702 \mathrm{~m} / \mathrm{s}^{2} \\
& g^{\prime}=g\left[1-\frac{d}{\mathrm{R}}\right] \\
& g^{\prime}=9.78 \mathrm{~m} / \mathrm{s}^{2}
\end{aligned}
$$

Unit

## Detailed Answer :

(i) Value of $g$ at 32 km above the earth

$$
g^{\prime}=g\left(1-\frac{2 h}{\mathrm{R}}\right)
$$

$$
\begin{aligned}
& =9.8\left(1-\frac{2 \times 32000}{6.4 \times 10^{6}}\right) \\
g^{\prime} & =9.7 \mathrm{~m} / \mathrm{s}^{2}
\end{aligned}
$$

(ii) At a depth of 8 km

$$
\begin{aligned}
g^{\prime} & =g\left(1-\frac{d}{\mathrm{R}}\right) \\
& =9.8\left(1-\frac{8000}{6.4 \times 10^{6}}\right) \\
& =9.79 \mathrm{~m} / \mathrm{s}^{2}
\end{aligned}
$$

36. 

$$
\begin{array}{rlrl}
d \mathrm{Q} & =\mathrm{K} . \mathrm{A} \cdot \frac{d \mathrm{~T}}{d x} \cdot d t & & \mathbf{1} \\
\text { Heat absorbed } & =\text { mass } \times \text { latent heat } & & \mathbf{1} \\
m & =0.313 \mathrm{~kg} & \mathbf{1} \\
\text { mass of ice left } & =4-0.313=3.687 \mathrm{~kg} & & \mathbf{1} \tag{1}
\end{array}
$$

Amount of ice remaining after 6 hrs is 3.687 kg with unit

## Detailed Answer :

$$
\text { Thickness } \Delta x=5 \mathrm{~cm}=5 \times 10^{-2} \mathrm{~m}
$$

Area $($ Total $)$ inside $=6$ surfaces

$$
=6 \times 30 \times 30=5400 \mathrm{~cm}^{2}=0.54 \mathrm{~m}^{2}
$$

$$
\Delta \mathrm{T}=45^{\circ} \mathrm{C}-0=45 \mathrm{~K}
$$

$$
\mathrm{K}=0.01 \mathrm{Js}^{-1} \mathrm{~m}^{-1} k^{-1} ; \mathrm{L}=335 \times 10^{3} \mathrm{~J} \mathrm{~kg}^{-1}
$$

$m$ is the mass of ice melted per second

$$
\begin{aligned}
\frac{d Q}{d t} & =m \mathrm{~L}=\mathrm{KA} \frac{\Delta \mathrm{~T}}{\Delta x} \\
m & =\frac{\mathrm{KA}}{\mathrm{~L}} \frac{\Delta \mathrm{~T}}{\Delta x} \\
& =\frac{0.01 \times 0.54 \times 45}{335 \times 10^{3} \times 5 \times 10^{-2}} \\
& =\frac{54 \times 45 \times 10^{-4}}{335 \times 5 \times 10}
\end{aligned}
$$

Ice melted in $6 \mathrm{hrs}=6 \times 3600 \mathrm{sec}=\frac{54 \times 45 \times 10^{-4} \times 3600 \times 6}{335 \times 5 \times 10}=313 \mathrm{~g}$

$$
\begin{aligned}
\text { Ice left } & =4 \mathrm{~kg}-313 \mathrm{~g} \\
& =3.687 \mathrm{~kg}
\end{aligned}
$$

37. Observer moving towards a stationary source is $f^{\prime}=f\left(\frac{v-v_{0}}{v}\right)$

$$
\begin{array}{rlr}
f & =212 \mathrm{~Hz} \\
\lambda & =\frac{v}{f} & \mathbf{1}
\end{array}
$$

$$
\lambda=1.65 \mathrm{~m}
$$

Unit of $f$ and $\lambda$

## Detailed Answer :

Source is at rest, observer moving towards source

$$
\begin{aligned}
v^{\prime} & =\frac{v-\left(-v_{\mathrm{L}}\right)}{v} v \\
& =\left(\frac{v+v_{\mathrm{L}}}{v}\right) v \\
& =\left(\frac{350+20}{350}\right) 200=\frac{370}{350} \times 200=211.4 \mathrm{~Hz} \\
\lambda & =\frac{v}{v}=\frac{350}{211.4}=1.66 \mathrm{~m}
\end{aligned}
$$

# SOLVED PAPER 

## General Instructions :

1. All parts are compulsory.
2. Answers without relevant diagram/figure/circuit wherever necessary will not carry any marks.
3. Numerical problems solved without writing the relevant formulae carry no marks.

## PART-A

I. Answer ALL the following questions :

1. What is the basis of cesium atomic clock ?
2. Which component of velocity is constant in a Projectile motion?
3. Define inertia.
4. State Work - Energy theorem.
5. Mention the relation between Torque and Angular momentum of a particle.
6. What are Elastomers ?
7. State Bernoulli's principle.
8. How does viscosity of a liquid changes with rise in temperature?
9. Mention the significance of zeroth law of thermodynamics.
10. How does an average Kinetic Energy of gas molecules depend on the absolute temperature?

## PART-B

II. Answer any FIVE of the following questions
$5 \times 2=10$
11. Write any two fundamental forces in nature.
12. Mention any two sources of systematic errors.
13. Distinguish between path length and displacement.
14. Define the terms
(i) Null vector or Zero vector
(ii) Unit vector
15. Classify the nature of flow of liquid on the basis of Reynold's number.
16. Give Kelvin-plank statement and Clausius statement.
17. What are free oscillations and forced oscillations ?
18. What are Longitudinal waves and Transverse waves?

## PART-C

III. Answer any FIVE of the following questions :
19. Obtain an expression of time of flight of a projectile.
20. What is friction? Write any two advantages of friction.
21. What is collision? Distinguish between Elastic collision and Inelastic collision.
22. State Kepler's law of planetary motion.
23. Draw a typical Stress-Strain curve for a metal. Mention yield point and fracture point.
24. Show that volume coefficient of thermal expansion $\alpha_{v}=\frac{1}{\mathrm{~T}}$ for ideal gas at constant pressure.
25. Mention any three assumptions of kinetic theory of gases.
26. Discuss modes of vibration of air column in a closed pipe.

To know about more useful books for 1-PUC click here

## PART-D

IV. Answer any TWO of the following questions :
27. What is Uniform Circular Motion ? Obtain an expression for centripetal acceleration.
28. Obtain an expression for maximum safe speed of a vehicle on a banked road in circular motion.
29. State and explain parallel axes theorem and perpendicular axes theorem.
V. Answer any TWO of the following questions :
30. Obtain an expression for total energy of a satellite revolving in circular orbit around a planet.
31. Explain different stages of Carnot's cycle with P-V-diagram.
32. Derive an expression of time period of oscillating bob of simple pendulum.
VI. Answer any THREE of the following questions :
$3 \times 5=15$
33. From a balloon ascending with a velocity of $9.8 \mathrm{~ms}^{-1}$, a stone was dropped and it reached the ground in 11 sec . How high was the balloon? When the stone was dropped and with what velocity did it hit the ground $?\left(g=9.8 \mathrm{~ms}^{-2}\right)$.
34. A pump on the ground floor of a building can pump up water to fill a tank of volume $30 \mathrm{~m}^{3}$ in 15 min . If the tank is 40 m above the ground and efficiency of the pump is $30 \%$. How much power is consumed by the pump? (Density of water $10^{3} \mathrm{kgm}^{-3}, \mathrm{~g}=9.8 \mathrm{~ms}^{-2}$ ).
35. A dental drill accelerates from rest to 900 rpm in 2 sec . What is the angular acceleration ? How many revolutions does it make in coming to full speed?
36. Find the time for which a layer of ice 5 cm thick on the surface of a pond will increase its thickness by 0.1 cm when temperature of the surrounding air is $-20^{\circ} \mathrm{C}$.

Thermal conductivity of ice $=2.1 \mathrm{Wm}^{-1} \mathrm{~K}^{-1}$
Density of ice $=900 \mathrm{Kg} \mathrm{m}^{-3}$
Latent heat of ice $=3.36 \times 10^{5} \mathrm{~J} \mathrm{Kg}^{-1}$.
37. Two cars are approaching each other on a straight road and moving with a velocity 60 kmph . If the sound produced in one car is of frequency 500 Hz . What will be the frequency of sound as heard by a person sitting in another car? When the car has crossed and moving away from each other, what will be the frequency of sound as heard by the same person ? (speed of sound in air is $332 \mathrm{~ms}^{-1}$ ).

# SOLUTIONS <br> As Per Scheme of Valuation (Issued by Department of PUE, Karnataka) 

## PART - A

I. 1. Periodic vibrations produced in a cesium atom is the basis of cesium atomic clock. In other words, it uses as reference the frequency of microwave spectral lines produced by cesium atoms.
2. The horizontal component of velocity is constant in a projectile motion.
3. Inertia is the property of the body by which the body does not change its state of rest or uniform motion unless an external force acts on it.
4. Work- Energy Theorem states that the work done by all the forces (net force) acting on a particle is equal to the change in the kinetic energy of the particle.
5. $\quad \vec{\tau}=\frac{d \overrightarrow{\mathrm{~L}}}{d t}$ where $\vec{\tau}$ is the torque and $\overrightarrow{\mathrm{L}}$ is the angular momentum

Rate of change of angular momentum is defined as torque.
6. The substances which can be stretched to cause large strain are called elastomers.
7. Bernoulli's Principle :

It states that the total mechanical energy of an ideal fluid comprising of the kinetic energy of the fluid motion, gravitational potential energy of elevation and the pressure energy per unit mass in streamline motion is constant.
8. The viscosity of a liquid decreases with an increase in temperature.
9. Significance of zeroth law of thermodynamics.

It tells about the state of thermal equilibrium of the system. It defines the exchange of heat and also defines the temperature of the system.
10. Average kinetic energy is directly proportional to the absolute temperature

Average K.E. $=\frac{3}{2} k \mathrm{~T}$ for a three dimensional system
and Average K.E. $=\frac{1}{2} k \mathrm{~T}$ for one dimensional system.

## PART - B

II. 11. (i) Gravitational Force.
(ii) Electromagnetic Force.
12. Sources of systematic errors:
(i) Imperfect calibration of instruments - Instrumental error.
(ii) Impact method of observation (percentage error).
13. Any two Differences.
[Scheme of Valuation 2018]

## Detailed Answer :

| Path Length | Displacement |
| :--- | :--- |
| (i)The distance travelled by the body is <br> called path length | (i)The difference between the initial and <br> the final positions of a body is called its <br> displacement. |
| (ii) It is a scalar quantity. | (ii) It is a vector quantity. |
| (iii) It can never be 0 or negative. | (iii) It can be 0 or negative. |

14. (i) Null vector or zero vector:

A vector with zero magnitude and arbitrary direction.
(ii) Unit vector :

A vector which has magnitude as one [or a vector divided by its magnitude example, unit vector $=\frac{\vec{r}}{|\vec{r}|}$ ]
15. If Reynold's number $\operatorname{Re}<2000$, then the flow is streamline flow.

It $\mathrm{Re}>2000$, the flow is turbulent flow.
16. Kelvin-Planck Statement : No process exists whose sole result is the absorption of heat from a reservoir and its complete conversion into work.
Clausius Statement : No process is possible whose result is the transfer of heat from a colder object to a hotter object without any external work being done on the object.
17. Free Oscillations : The oscillations of a body when it oscillates with its own frequency are called free oscillations.
Forced Oscillations : When a body is subjected to periodic force, it oscillates with the frequency of the periodic force. Such oscillations are called forced oscillation.
18. Longitudinal waves: A wave in which the particles of the medium vibrates along the direction of propagation of wave is called a Longitudinal wave. For example, sound waves.
Transverse waves : A wave in which the particles of the medium vibrates in a direction perpendicular to the direction of wave. For example, light waves.

## PART - C

III. 19. Expression for time of flight of a projectile.

The time of flight is just double the time projectile takes to reach the maximum height.
For vertical motion.

$$
\left.\begin{array}{lrl} 
& v_{y}=u_{y}+a_{y} t \\
& \because a_{y}=-g \\
& \therefore \quad v_{y} & =u_{y}-g t
\end{array}\right)
$$

Time of flight $\mathrm{T}_{f}=2 \mathrm{~T}$
$\mathrm{T}_{\mathrm{f}}=\frac{2 u \sin \theta}{g}$.
20. It is the force which opposes the relative motion between two surfaces of bodies in contact.

Any two advantages.
[Scheme of Valuation 2018]

## Detailed Answer :

Friction is the force which opposes the relative motion between the surfaces of the bodies in contact.
Advantages :
(i) Brakes on a car uses friction to stop.
(ii) It makes many types of motion possible.
21. Collision is physical striking between the bodies

Any two Differences
[Scheme of Valuation 2018]

## Detailed Answer :

Collision is violent physical striking of bodies against each other.

| Elastic collision | Inelastic collision |
| :---: | :---: |
| (i) There is no loss of kinetic energy | (i) Some loss of kinetic energy occurs. |
| (ii) Forces involved are conserved in nature | (ii) Forces may be non-conservative in nature. |
|  |  |

22. Statement of I Law (Law of orbits)

Statement of II Law (Law of area)
Statement of III Law (Law of period)

## Detailed Answer :

## Kepler's laws of Planetary Motion.

I Law - Law of Orbits : According to this law, all planets move in elliptical orbits with the sun situated at one of the foci of the ellipse.
For I Law :

a : semi-major axis
b : semi-minor axis
II Law—Law of Areas: The speed of planet varies in such a way that the radius vector drawn from the sun to a planet sweeps out equal areas in equal intervals of time i.e., the areal velocity of the planet around the sun is constant.

## For II Law :



The areas $\mathrm{A}_{1}, \mathrm{~A}_{2}, \mathrm{~A}_{3}$ are swept by the radius vector in equal intervals of time.
So, $\mathrm{A}_{1}=\mathrm{A}_{2}=\mathrm{A}_{3}$
III Law-Law of Periods : The square of the time period of revolution of a planet around the sun is proportional to the cube of semi-major axis of its elliptical orbits.
For III Law : If ' $T$ ' is the time period of revolution of a planet and ' $a$ ' be the semi-major axis, then $\mathrm{T}^{2} \alpha a^{3}$.
23.


B Yield point
E Fracture Point
[Scheme of Valuation 2018]

## Detailed Answer :



- The stress is proportional to strain upto point, where, Hooke's law is fully obeyed. Point $A$ is known as proportional unit.
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- When stress is increased beyond $A$, then for a small stress there in large strain in the wire upto B. When the load is reduced between points $O$ and $B$, then the wire comes back to its original position.
- The wire regains its original position only when load applied is less than or equal to certain limit. This limit is called elastic limit. The point B on the curve is known as elastic limit or yield point.
- But, if the stress is increased beyond B, the strain further increases and the wire does not come back to its original position after removing load. It is deformed permanently.
- As the stress in further increased beyond $C$, there is a large strain in the body and the wire breaks at point E called fracture point.

24. Volume coefficient of thermal expansion $\alpha_{v}=\left(\frac{\Delta \mathrm{V}}{\mathrm{V}}\right) \frac{1}{\Delta \mathrm{~T}}$

Ideal gas equation

$$
\begin{array}{rlrl}
\mathrm{PV} & =n \mathrm{RT} \\
\mathrm{P} \Delta \mathrm{~V} & =n \mathrm{R} \Delta \mathrm{~T} \\
\therefore & \frac{\Delta \mathrm{~V}}{\mathrm{~V}} & =\frac{\Delta \mathrm{T}}{\mathrm{~T}} \\
& \text { or } & \left(\frac{\Delta \mathrm{V}}{\mathrm{~V}}\right) \frac{1}{\Delta \mathrm{~T}} & =\frac{1}{\mathrm{~T}}=\alpha .
\end{array}
$$

25. Any three assumptions
[Scheme of Valuation 2018]

## Detailed Answer :

## Kinetic Theory of gases:

(i) A given amount of gas consists of a very large number of molecules.
(ii) The size of a molecule is much smaller than the average distance of separation between the molecules.
(iii) There are no intermolecular forces between molecules of a gas. [except during collision]
26. Modes of vibrations of air column in a closed pipe.


- The air at the closed end is not free to vibrate so a node is formed at the closed end.
- While the air at the open end is free to vibrate with maximum amplitude so an antinode is formed at this end.
- This is the simplest mode of vibration and is called fundamental mode.

$$
\begin{aligned}
\mathrm{L} & =\frac{\lambda}{4} \text { or } \lambda=4 \mathrm{~L} \\
\text { Frequency } f_{1} & =\frac{v}{\lambda}=\frac{v}{4 \mathrm{~L}}
\end{aligned}
$$

where,
$v$ is the velocity of sound in air,
L is the length of the vibrating column,
$\lambda$ is the wavelength.
Second mode : or first overtone - [Figure (2)]

$$
\begin{array}{ll} 
& \mathrm{L}=\frac{3}{4} \lambda \text { or }=\frac{4 \mathrm{~L}}{3} \\
\therefore \quad f_{1}=\frac{v}{\lambda}=\frac{3 v}{4 l}
\end{array}
$$

Similarly for third mode or second overtone [figure (3)]

$$
\begin{aligned}
\mathrm{L} & =\frac{5 \lambda}{4} \text { or } \lambda=\frac{4}{5} \mathrm{~L} \\
f_{3} & =\frac{v}{\lambda}=\frac{5 v}{4 \mathrm{~L}} \\
\therefore \quad f_{1}: f_{2}: f_{3} & =1: 3: 5 .
\end{aligned}
$$

## PART - D

IV. 27. Uniform Circular Motion can be defined as the motion of an object in is circle at a constant speed while the object a constantly changing its direction.

## Expression for centripetal acceleration :

Let $v$ be the velocity of the body (with mass $m$ ) is moving in a circular motion of radius $r$


Angular Speed

$$
w=\frac{\Delta \theta}{\Delta t}
$$

$$
\left|\vec{v}_{1}\right|=\left|\vec{v}_{2}\right|
$$

Second figure is formed by joining the tails of the two vectors $\vec{v}_{1}$ and $\vec{v}_{2}$
From fig (1)

$$
\begin{aligned}
\frac{A B}{A O} & =\frac{P Q}{P R} \\
\frac{\Delta v}{v} & =\frac{\Delta x}{r} \\
\therefore \Delta v & =\frac{\Delta x v}{r}
\end{aligned}
$$

Acceleration $=\lim \Delta t \rightarrow 0 \frac{\Delta v}{\Delta t}=\frac{d v}{d t}=\frac{v}{r} \frac{d x}{d t}$
$=\frac{v^{2}}{r}$

$$
\therefore \quad a=\frac{v^{2}}{r} .
$$

28. 



From Figure

$$
\begin{aligned}
\mathrm{N} \cos \theta & =m g+f \sin \theta \\
\mathrm{~N} \sin \theta+f \cos \theta & =\frac{m v^{2}}{\mathrm{R}}
\end{aligned}
$$

Taking $f=\mu_{s} \mathrm{~N}$ for Maximum speed and getting $\mathrm{N}=\frac{m g}{\cos \theta-\mu s \sin \theta}$

Arriving at

$$
\mathrm{V}_{\max }=\mathrm{Rg}\left(\frac{\mu_{\mathrm{s}}+\tan \theta}{1-\mu_{s} \tan \theta}\right)^{\frac{1}{2}}
$$

## Detailed Answer :


$f \rightarrow$ force of friction
$N \rightarrow$ reaction force which will provide centripetal force.
Resolve it into two components - $N \cos \theta$ and $N \sin \theta$
Also resolve friction force $f$ into $f \sin \theta$ and $f \cos \theta$.
(centripetal force) $\frac{m v^{2}}{\mathrm{R}}=f \cos \theta+N \sin \theta$ (1) (acting towards centre)
$N \cos \theta=\mathrm{mg}+f \sin \theta$ or $\mathrm{mg}=N \cos \theta-f \sin \theta$
Dividing eq. (1) by (2)

$$
\begin{equation*}
\frac{m v^{2}}{R}=\frac{N \sin \theta+f \cos \theta}{\mathrm{~N} \cos \theta-f \sin \theta} \tag{2}
\end{equation*}
$$

$$
\frac{v^{2}}{R g}=\frac{N \sin \theta+f \cos \theta}{\mathrm{~N} \cos \theta-f \sin \theta}
$$

$$
=\frac{\frac{N \sin \theta}{N \cos \theta}+\frac{f}{N} \frac{\cos \theta}{\cos \theta}}{1-\frac{f}{N} \frac{\sin \theta}{\cos \theta}}=\frac{\tan \theta+\frac{f}{N}}{1-\frac{f}{N} \tan \theta}
$$

For maximum speed

$$
\begin{aligned}
f & =\mu_{s} \mathrm{~N} \\
\frac{v_{\max }^{2}}{\mathrm{Rg}} & =\frac{\tan \theta+\frac{\mu_{s} \mathrm{~N}}{\mathrm{~N}}}{1-\frac{\mu_{s} \mathrm{~N}}{\mathrm{~N}} \tan \theta} \\
& =\frac{\tan \theta+\mu_{s}}{1-\mu_{s} \tan \theta} \\
v_{\max }^{2} & =\mathrm{Rg}\left[\frac{\tan \theta+\mu_{s}}{1-\mu_{s} \tan \theta}\right] \\
v_{\max } & =(\mathrm{Rg})^{\frac{1}{2}}\left[\frac{\tan \theta+\mu_{s}}{1-\mu_{s} \tan \theta}\right]^{\frac{1}{2}}
\end{aligned}
$$

or
29. Statement of parallel axes theorem.

Statement of perpendicular axes theorem.
Explanation of parallel axes and perpendicular axes theorem.

## Detailed Answer :

Theorem of parallel axes: It states that the moment of inertia of a body about an axis is equal to the sum of moments of inertia of the body about a parallel axes passing through its centre of mass and the product of mass and the square of distance between two parallel axes.


$$
\mathrm{I}=\mathrm{I}_{\mathrm{cm}}+\mathrm{M} h^{2}
$$

$\mathrm{M}=$ mass of the lamina
$h=$ distance between two parallel axes
For eg. Moment of inertia of disc about an axis perpendicular to the plane of disc and through its centre

$$
\mathrm{I}_{\mathrm{cm}}=\frac{1}{2} \mathrm{MR}^{2}
$$



Then, moment of inertia about an axis

$$
\begin{aligned}
I & =I_{\mathrm{cm}}+M h^{2} \\
& =\frac{1}{2} M R^{2}+M R^{2}
\end{aligned}
$$

$$
\text { as } h=R
$$

$$
\therefore \quad \mathrm{I}=\frac{3}{2} \mathrm{MR}^{2} \text { according to theorem of parallel axes. }
$$

Theorem of Perpendicular axes : It states that the moment of inertia of a planar body (Lamina) about an axis perpendicular to its plane is equal to the sum of its moment of inertia about two perpendicular axes and lying in the plane of the body.

eg. Moment of inertia of a disc about an axis through its centre of mass and perpendicular to its plane is-

$$
\mathrm{I}_{z z}=\frac{1}{2} \mathrm{MR}^{2}
$$



If $\mathrm{I}_{\mathrm{D}}=$ Moment of inertia of disc about one of its diameter (along $y y$ axis car along $x x$ axis)
By perpendicular axis theorem, $\mathrm{I}_{z z}=\mathrm{I}_{x x}+\mathrm{I}_{y y}$
$\mathrm{I}_{x x}=\mathrm{I}_{y y}$, mass distribution being identical in both the cases
$\therefore$

$$
\begin{aligned}
& \mathrm{I}_{z z}=2 \mathrm{I}_{x x}=2 \mathrm{I}_{\mathrm{D}} \\
& \mathrm{I}_{\mathrm{D}}=\frac{\mathrm{I}_{z z}}{2}=\frac{1}{4} \mathrm{MR}^{2}
\end{aligned}
$$

V. 30. Total energy of a satellite revolving in circular orbit around a planet.


For a satellite orbiting around a planet, the tangential/orbital velocity will be.

$$
v=\sqrt{\frac{G M}{(R+h)}}
$$

[as gravitational force on a satellite equals the centripetal force]
where R is radius of the planet and $h$ is the height from the surface of the planet.
So, kinetic energy of the satellite $\quad \mathrm{KE}=\frac{1}{2} m v^{2}=\frac{1}{2} \frac{\mathrm{GmM}}{(\mathrm{R}+h)}$, $m$ is the mass of the satellite
The gravitational P. E at infinity is considered to be zero, so the P. E at distance $(R+h)$ from the centre of the planet will be :

$$
P E=\frac{-G m M}{R+h}
$$

Total energy $\mathrm{E}=\mathrm{K} . \mathrm{E}+\mathrm{P} . \mathrm{E}$

$$
=\frac{\mathrm{G} m \mathrm{M}}{2(\mathrm{R}+h)}-\frac{\mathrm{G} m \mathrm{M}}{(\mathrm{R}+h)}=\frac{-1}{2} \frac{\mathrm{G} m \mathrm{M}}{(\mathrm{R}+h)}
$$

31. 



Explanation isothermal expansion (curve AB )
Explanation adiabatic expansion (curve BC)
Explanation isothermal compression (curve CD)
Explanation adiabatic compression (curve DA)

## Detailed Answer :

Carnot cycle : A carnot engine consists of
(i) A source of heat at temperature $\mathrm{T}_{1}$
(ii) A sink at temperature $T_{2}$ such that $T_{1}>T_{2}$.
(iii) A cylinder with conducting base with ideal gas as a working substance.
(iv) In insulating stand,


As the engine works, the working substance of the engine undergoes a cycle known as Carnot cycle.

(i) First Step : Isothermal expansion curve AB. The cylinder with gas is allowed to expand slowly at constant temperature $\mathrm{T}_{1}$ by putting in on the source.

Work done $=$ heat absorbed by the system.

$$
\begin{aligned}
\mathrm{W}_{1} & =\mathrm{Q}_{1}=\int_{V_{1}}^{V_{2}} P d V \\
& =\mathrm{RT}_{1} \log \frac{\mathrm{~V}_{2}}{V_{1}}=\operatorname{ar}(\mathrm{ABGEA})
\end{aligned}
$$

(ii) Second Step : Adiabatic expansion the cylinder is kept on the insulating stand while still expanding the gas (adiabatic) till the temperature falls to 7.

$$
\begin{aligned}
\mathrm{W}_{2} & =\int_{\mathrm{V}_{1}}^{\mathrm{V}_{2}} \mathrm{P} d V \\
\mathrm{PV} V^{\gamma} & =\text { constant } \\
& =\frac{R}{\gamma-1}\left(\mathrm{~T}_{1}-\mathrm{T}_{2}\right)=\operatorname{ar}(\mathrm{BCHGB})
\end{aligned}
$$

(iii) Third Step : Isothermal compression, the cylinder is placed on the sink and the gas is compressed at constant temperature $\mathrm{T}_{2}$

$$
\begin{aligned}
\mathrm{W}_{3} & =\text { heat rejected by the system } \\
& =\mathrm{Q}_{2} \\
& =-\int_{\mathrm{V}_{3}}^{\mathrm{V}_{4}} \mathrm{P} d \mathrm{~V}=-\mathrm{RT}_{2} \log \frac{\mathrm{~V}_{4}}{\mathrm{~V}_{3}} \\
& =\mathrm{RT}_{2} \log \frac{\mathrm{~V}_{3}}{\mathrm{~V}_{4}}=\operatorname{ar}(\mathrm{CDFH})
\end{aligned}
$$

32. 



Consider a simple pendulum of length $l$ and a bob with mass $m$.
Force that accelerates the bob is being provided by the component of weight $(\mathrm{mg})$ towards the mean position. i.e.,

$$
m a=-m g \sin \theta
$$

The oscillation being simple harmonic

$$
\begin{aligned}
a & =-w^{2} y \\
-m w^{2} y & =-m g \sin \theta
\end{aligned}
$$

For small amplitude $\sin \theta \approx \theta$
$\therefore$

$$
\begin{aligned}
w^{2} y & =g \theta \\
\theta & =\frac{y}{e}
\end{aligned}
$$

$$
\left(\sin \theta=\frac{y}{e} \approx \theta\right)
$$

$$
\therefore \quad w^{2} y=\frac{g y}{e} \text { or } w=\sqrt{\frac{g}{l}}
$$

$$
w=\frac{2 \pi}{\mathrm{~T}} \therefore \mathrm{~T}=2 \pi \sqrt{\frac{g}{l}} \quad \text { where, } w \text { is the angular frequency }
$$

T is the time period of oscillation.
VI. 33. $\quad h=u t+\frac{1}{2} g t^{2}$.

## Detailed Answer :

Let $u$ be the initial velocity of the stone $=9.8 \mathrm{~cm} / \mathrm{s}^{2}$
$h=$ height of the balloon when the stone was thrown
$t=$ time in which the stone reaches the ground.

$$
\begin{aligned}
h & =u t+\frac{1}{2} g t^{2} \\
h & =-9.8 \times 11+\frac{1}{2} \times 9.8 \times(11)^{2}=(-107.8+592.9) \mathrm{m} . \\
& =485.1 \mathrm{~m} \\
v^{2} & =u^{2}+2 g h \\
& =(-9.8)^{2}+2 \times(9.8)(485.1) \\
v & =98 \mathrm{~m} / \mathrm{s}^{2} .
\end{aligned}
$$

[Scheme of Valuation 2018]
34. Volume of the tank $=30 \mathrm{~m}^{3}$

Time to fill the tank $=15$ minutes $=900 \mathrm{~s}$.
Height of the tank above the ground $=40 \mathrm{~m}$.
Efficiency of the pump is $30 \%$
Power required to lift the water

$$
\begin{aligned}
\mathrm{P}_{r} & =\frac{w}{t} \frac{(\text { workdone })}{\text { time }}=\frac{m g h}{t} \\
\text { mass } & =\rho \mathrm{V}, \rho \text { is density } \\
\mathrm{P}_{r} & =\frac{\rho \mathrm{V} g h}{t}=\frac{10^{3} \times 30 \times 9.8 \times 40}{900 \text { (seconds) }} \\
\mathrm{P}_{r} & =13066.6 \text { Watt. }
\end{aligned}
$$

Let P be the power consumed. Only $30 \%$ of the power is utilized in lifting the water (efficiency is $30 \%$ )
i.e.,

$$
\frac{30}{100} \mathrm{P}=\mathrm{P}_{r} \text { or } \mathrm{P}=\frac{100}{30} \times \mathrm{P}_{r}=43.6 \mathrm{kw}
$$

35. 

$$
w_{i}=0 \text { as the drill is initially at rest }
$$

$w_{f}=900 \mathrm{rpm}=30 \times \pi$ radians $/ \mathrm{s}$
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$$
\begin{aligned}
\text { Angular acceleration } \alpha & =\frac{w_{f}-w_{c}}{t} \\
& =\frac{30 \pi}{2 s} \text { radians } / \mathrm{s} \\
\therefore \quad \alpha & =15 \pi \text { radians } / \mathrm{s} . \\
\therefore \quad \frac{\text { distance travelled }}{2 \pi} & =\text { no. of revolutions } \\
\therefore \quad \theta & =w_{i} t+\frac{1}{2} \alpha t^{2} \\
\therefore \quad & =0+\frac{1}{2} \times 15 \times \pi \times(2)^{2} \\
\therefore \quad \theta & =30 \pi \text { radians }=2 \pi n
\end{aligned}
$$

36. 

Thickness of ice slab $=5 \mathrm{~cm}=0.05 \mathrm{~m}$
Increase in the thickness $=0.1 \mathrm{~cm}$

$$
\begin{aligned}
\mathrm{K} \text { for ice } & =2.1 \mathrm{Wm}^{-1} \mathrm{~K}^{-1} \\
\rho \text { ice } & =900 \mathrm{~kg} \mathrm{~m}^{-3}
\end{aligned}
$$

latent heat of ice $=3.36 \times 10^{5} \mathrm{JKg}^{-1}$
T of the surroundings $=-20^{\circ} \mathrm{C}$
V of extra thickness,

$$
\mathrm{V}=(\mathrm{A} \times 0.001) \mathrm{m}^{3}
$$

Mass of ice formed

$$
\mathrm{M}=\rho \mathrm{V}=900 \times A \times 0.001
$$

$\therefore$ Heat transferred to change the temperature

$$
\begin{aligned}
\mathrm{Q} & =\frac{K A\left(\mathrm{~T}_{2}-\mathrm{T}_{1}\right) t}{d} \\
\text { But } \mathrm{Q} & =m \mathrm{~L}(\text { Latent heat })
\end{aligned}
$$

37. Two cars are moving with velocities $60 \mathrm{~km} / h$.

$$
\begin{aligned}
& v_{1}=60 \mathrm{kmph}=16.66 \mathrm{~m} / \mathrm{s} \\
& v_{2}=60 \mathrm{kmph}=16.66 \mathrm{~m} / \mathrm{s}
\end{aligned}
$$

Sound produced in one car of frequency $=500 \mathrm{~Hz}$.
When two cars are approaching

$$
\begin{aligned}
f^{\prime} & =\left(\frac{v+v_{1}}{v-v_{2}}\right) f(\text { Doppler's effect }) \\
& =\left(\frac{332+16.66}{332-16.66}\right) 500=552.83 \mathrm{~Hz}
\end{aligned}
$$

But when the two cars have crossed each other

$$
\begin{aligned}
f^{\prime} & =\left(\frac{v-v_{1}}{v+v_{2}}\right) f \\
& =\left(\frac{332+16.66}{332-16.66}\right) 500=452.21 \mathrm{~Hz}
\end{aligned}
$$

